


Module 5: "Dynamic games of incomplete information"

Lecture 34: "Signaling Game: Another numerical example"

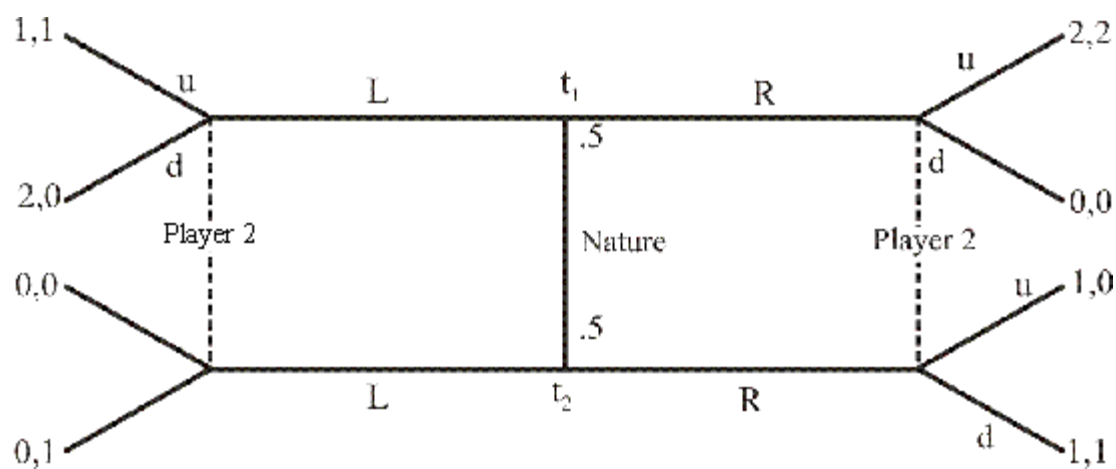
The Lecture Contains:

 Signaling Game: Another numerical example

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PBNE: Another numerical example

Find all the pure strategy PBNE:

There are four possible pure strategy PBNE

$(R, R); (L, L)$ } Pooling PBNE

$(R, L); (L, R)$ } Separating PBNE

Note, for a sender of type 2, R dominates L irrespective of the actions of the receiver.

Hence (L, L) and (R, L) are ruled out.

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Numerical example [contd.]

Let's analyze that whether there is a pooling PBE involving (R, R) strategy by sender

$\Rightarrow q = \mu(t_1/R)$ is pinned down by requirement (3)

$\Rightarrow q = 0.5$

$\Rightarrow a^*(R) = ?$

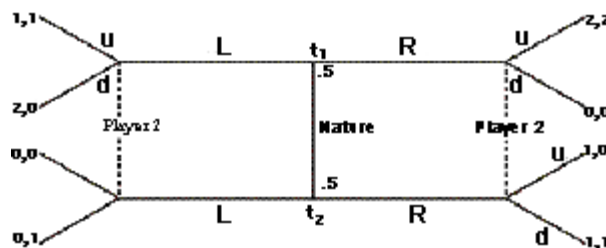
- Payoff to receiver by playing $u = 0.5$
 $(2) + 0.5 (0) = 1$
- Payoff to receiver by playing d
 $= 0.5 (0) + 0.5 (1) = 0.5$

$\Rightarrow a^*(R) = U$

\therefore at (R, R)

Payoff of type $t_1 = 2$

Payoff of type $t_2 = 1$



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Numerical example [contd.]

We have to check whether any of the types have any incentive to deviate.

That depends on action of receiver on seeing L i.e. $a(L)$ which depends on p .

However here if $a(L) = u$ or d

none of the types would have an incentive to deviate.

Payoff to receiver by playing $u = p$

Payoff to receiver by playing $d = 1 - p$

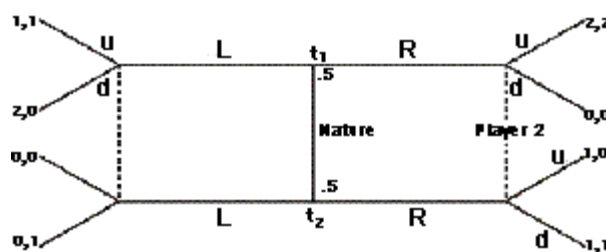
Receiver will play u if $p \geq 1 - p$

Receiver will play d if $p \leq 1 - p$

Hence there is a bunch of pooling PBE

$[(R, R); (u, u), q = .5, p \geq 0.5]$

$[(R, R); (d, u), q = .5, p \leq 0.5]$



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Numerical example [contd.]

Let's analyze that whether there is a separating PBNE involving (L, R) strategy

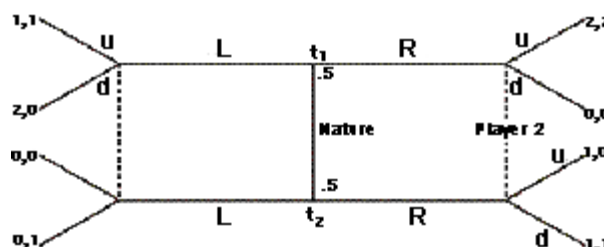
$$\Rightarrow p = 1, q = 0$$

$$\Rightarrow a^*(L) = u \quad a^*(R) = d$$

At (L, R) strategy,

Payoff of type $t_1 = 1$

Payoff of type $t_2 = 1$



If type t_1 deviates from L to R, Payoff = 0 \Rightarrow no incentive to deviate given receiver's strategy (u, d)

If type t_2 deviates from R to L Payoff = 0 \Rightarrow no incentive to deviate given the receiver's strategy. There is a separating PBNE: $[(L, R); (u, d); p = 1, q = 0]$

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