


Module 5: "Dynamic games of incomplete information"

Lecture 36: "Signaling Game: Another Practical Application - Limit Pricing Model"

The Lecture Contains:

 Signaling Game: Limit Pricing Model

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Signaling Game : Another Practical Application

Limit Pricing Model : Basic Concept

- Game between two players in a pizza market
- Incumbent - Joe
- Entrant – Maria
- Joe would like to keep Maria out of market and hence may take pricing decision strategically to deter entry by Maria.
- Higher the price , the incumbent sets - more difficult will be for the entrant to enter.
- The highest price at which entry is deterred is called limit price.

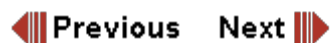
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Basic Game

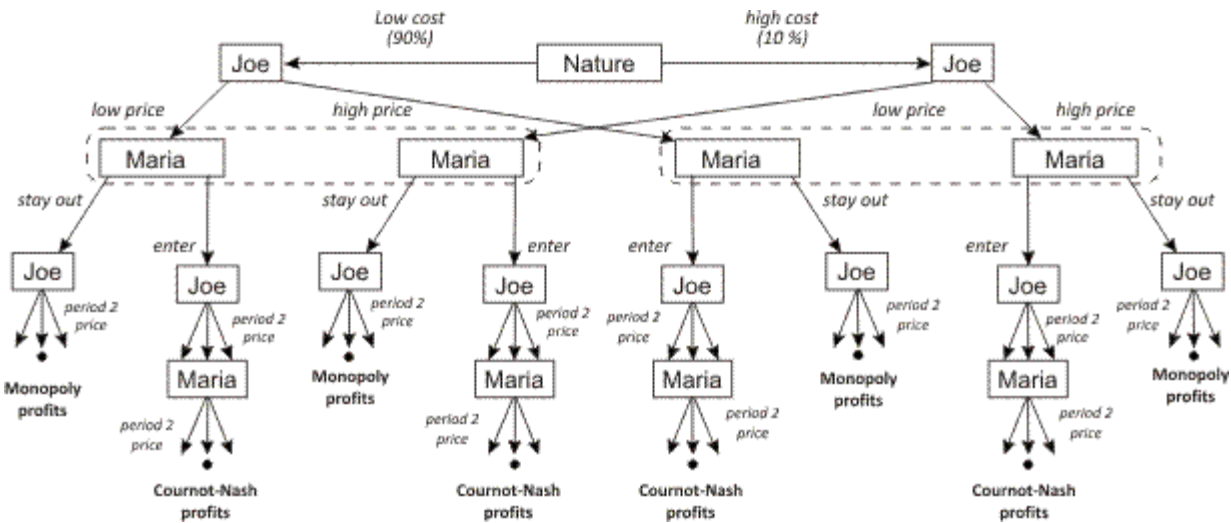
- Nature makes the first move
 - Deciding whether Joe's cost are high or low
 - 10% probability that Joe has high cost and 90% probability that Joe has low cost – this is in common knowledge
- In the first time period , Joe (the monopolist) observes the cost and takes the pricing decision– set high price or low price
- At the start of second period, Maria moves after observing Joe's price & output (but Not his costs) - she decides whether to enter or stay out
- If Maria decides not to enter, Joe retains his monopoly & sets his pricing decision independently
- If Maria enters , then Maria & Joe play a static cournot duopoly game
- Maria's cost is common knowledge. Maria gets to know Joe's production cost only after she chooses to enter



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Game tree



Source: Bierman & Fernandet 2

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Payoffs of players

- Demand function for pizza in town is given by,

$$P(Q_t) = \begin{cases} 16 - \frac{1}{100} \cdot Q_t & \text{For } 0 \leq Q_t \leq 1600 \\ 0 & \text{otherwise} \end{cases}$$

Q_t = total quantity of pizza sold

Joe's total costs are

$$c_J^L(Q_t) = 5 \cdot Q_J \quad \text{with 90\% probability}$$

Or

$$c_J^H(Q_J) = 7 \cdot Q_J \quad \text{with 10\% probability}$$

Maria's total costs are given by

$$c_M(Q_M) = 600 + 7 \cdot Q_J \quad \begin{cases} \text{if } Q_M > 0 \\ 0 & \text{otherwise} \end{cases}$$

There is a fixed entry cost of 600 units for Maria.

All the above are in common knowledge

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Backward Induction : Second stage Game : When Maria does Not Enter

- We start at end of tree
- Look at the simple case, in which Maria chooses not to enter
- Joe will be the monopolist and will set profit maximizing quantity & price

$$\Rightarrow MR(Q_J) = MC(Q_J)$$

When Joe has high costs,

$$16 - \frac{1}{50}Q_J = 7$$

$$Q_J = 450, P = 11.50 \Rightarrow \Pi = 2025$$

When Joe has low costs,

$$16 - \frac{1}{50}Q_J = 5 \Rightarrow Q_J = 550, \quad P = 10.50, \quad \Pi = 3025$$

Joe's costs

	<i>High</i>	<i>Low</i>
<i>Joe's pizza output</i>	450	550
<i>Joe's pizza price</i>	11.50	10.50
<i>Joe's profit</i>	2,025	3,025

Table 1: Monopoly profit of Joe in  stage.