
Machine Code Generation - 4

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NPTEL Course on Principles of Compiler Design



Outline of the Lecture

- Mach. code generation – main issues (in part 1)
- Samples of generated code (in part 2)
- Two Simple code generators (in part 2)
- Optimal code generation
 - Sethi-Ullman algorithm (in part 3)
 - Dynamic programming based algorithm (in part 3)
 - Tree pattern matching based algorithm
- Code generation from DAGs
- Peephole optimizations

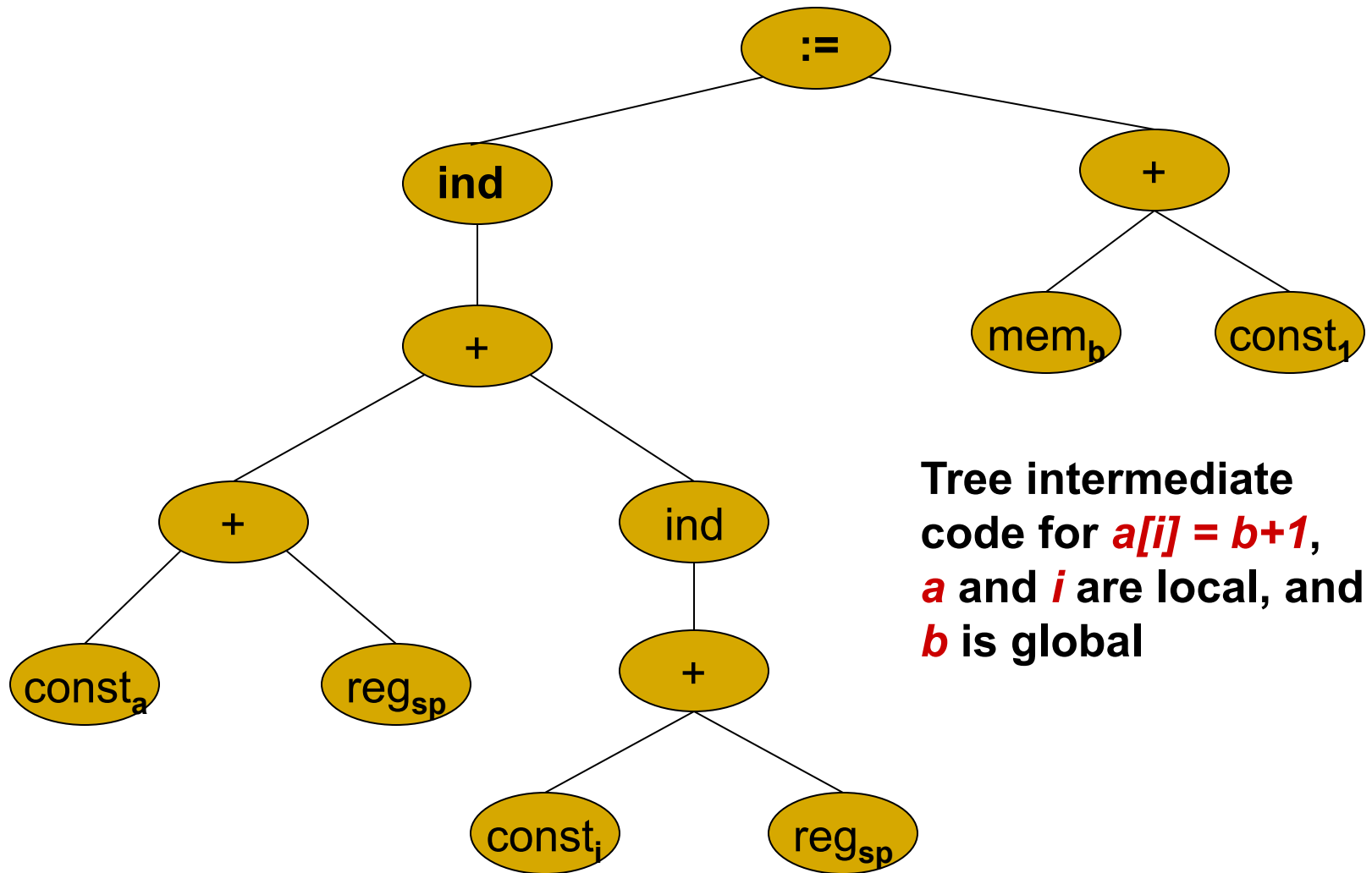
Code Generation based on Dynamic Programming - Limitations

- Several instructions require even-odd register pairs – (R_0, R_1) , (R_2, R_3) , etc.
 - example: multiplication in x86
 - may require non-contiguous evaluation to ensure optimality
 - cannot be handled by DP

Code Generation by Tree Rewriting

- Caters to complex instruction sets and very general machine models
- Can produce locally optimal code (basic block level)
- Non-contiguous evaluation orders are possible without sacrificing optimality
- Easily retargetable to different machines
- Automatic generation from specifications is possible

Example



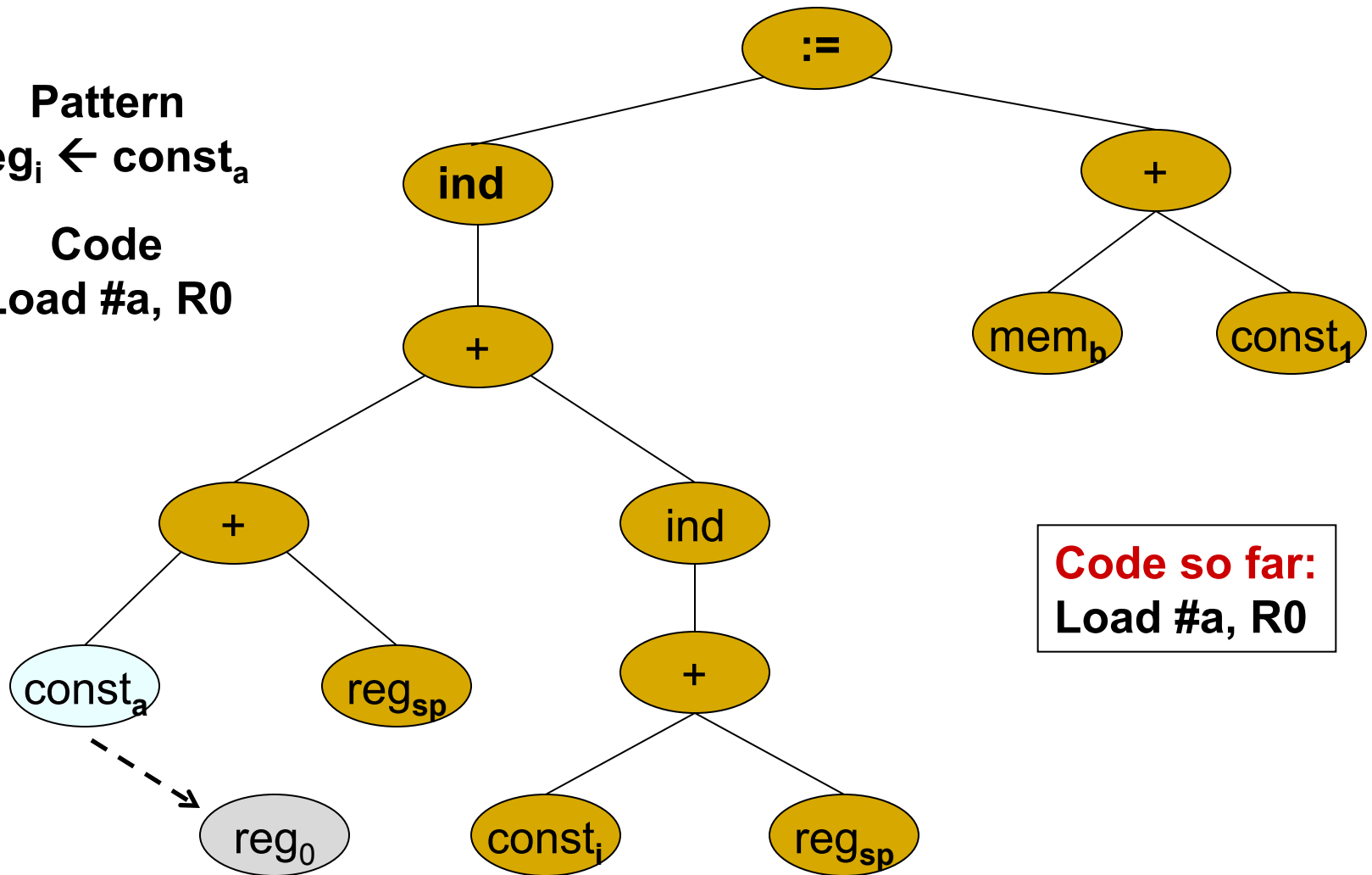
Some Tree Rewriting Rules and Associated Actions

1. $\text{reg}_i \leftarrow \text{const}_a \{ \text{Load \#a, reg}_i \}$
2. $\text{reg}_i \leftarrow +(\text{reg}_i, \text{reg}_j) \{ \text{Add reg}_i, \text{reg}_j \}$
3. $\text{reg}_i \leftarrow \text{ind} (+(\text{const}_c, \text{reg}_j)) \{ \text{Load \#c(reg}_j), \text{reg}_i \}$
4. $\text{reg}_i \leftarrow +(\text{reg}_i, \text{ind} (+(\text{const}_c, \text{reg}_j)))$
 $\{ \text{Add \#c(reg}_j), \text{reg}_i \}$
5. $\text{reg}_i \leftarrow \text{mem}_a \{ \text{Load b, reg}_i \}$
6. $\text{reg}_i \leftarrow +(\text{reg}_i, \text{const}_1) \{ \text{Inc reg}_i \}$
7. $\text{mem} \leftarrow :=(\text{ind} (\text{reg}_i), \text{reg}_j) \{ \text{Load reg}_j, * \text{reg}_i \}$

Match #1

Pattern
 $\text{reg}_i \leftarrow \text{const}_a$

Code
Load #a, R0

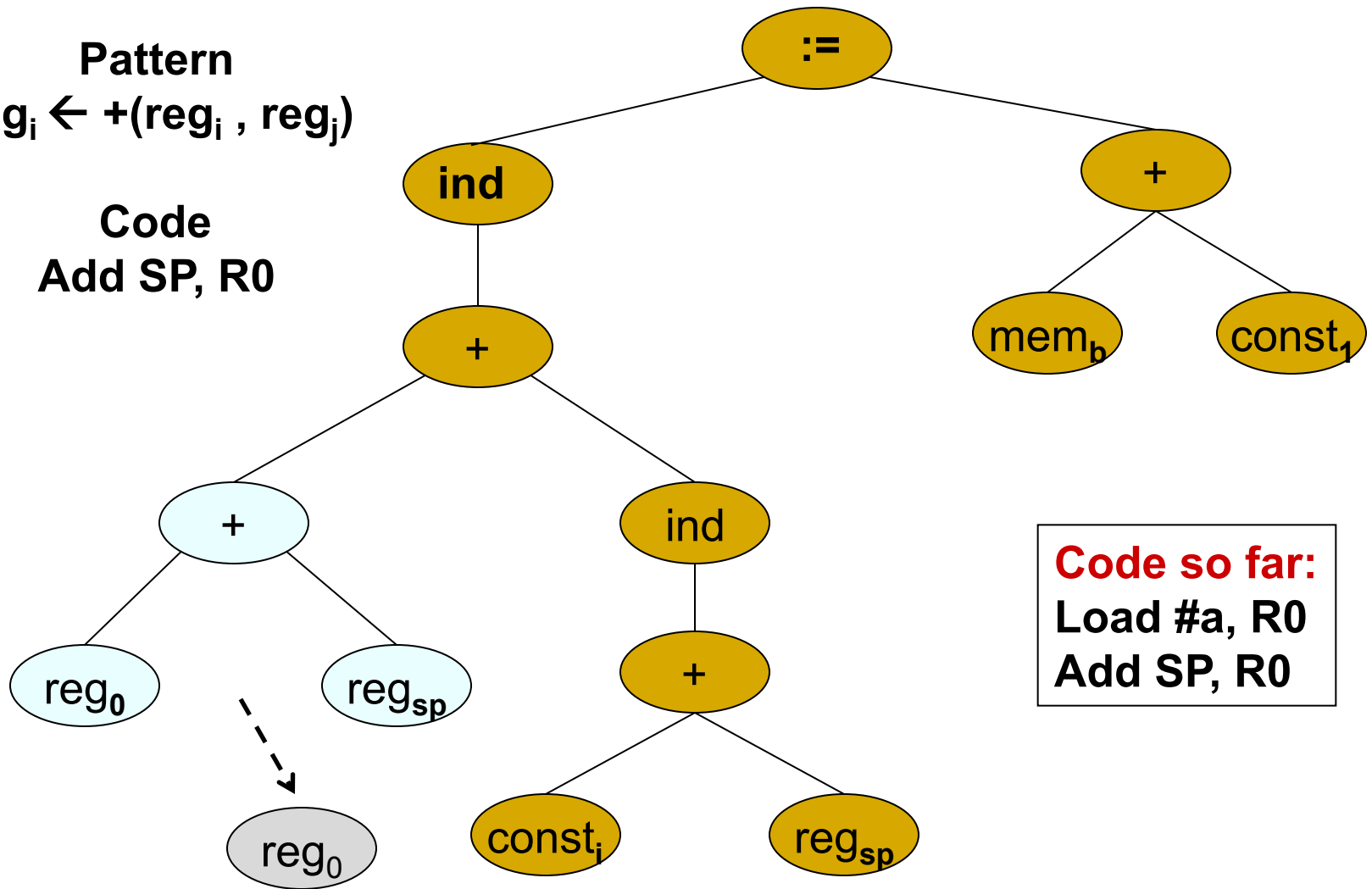


Code so far:
Load #a, R0

Match #2

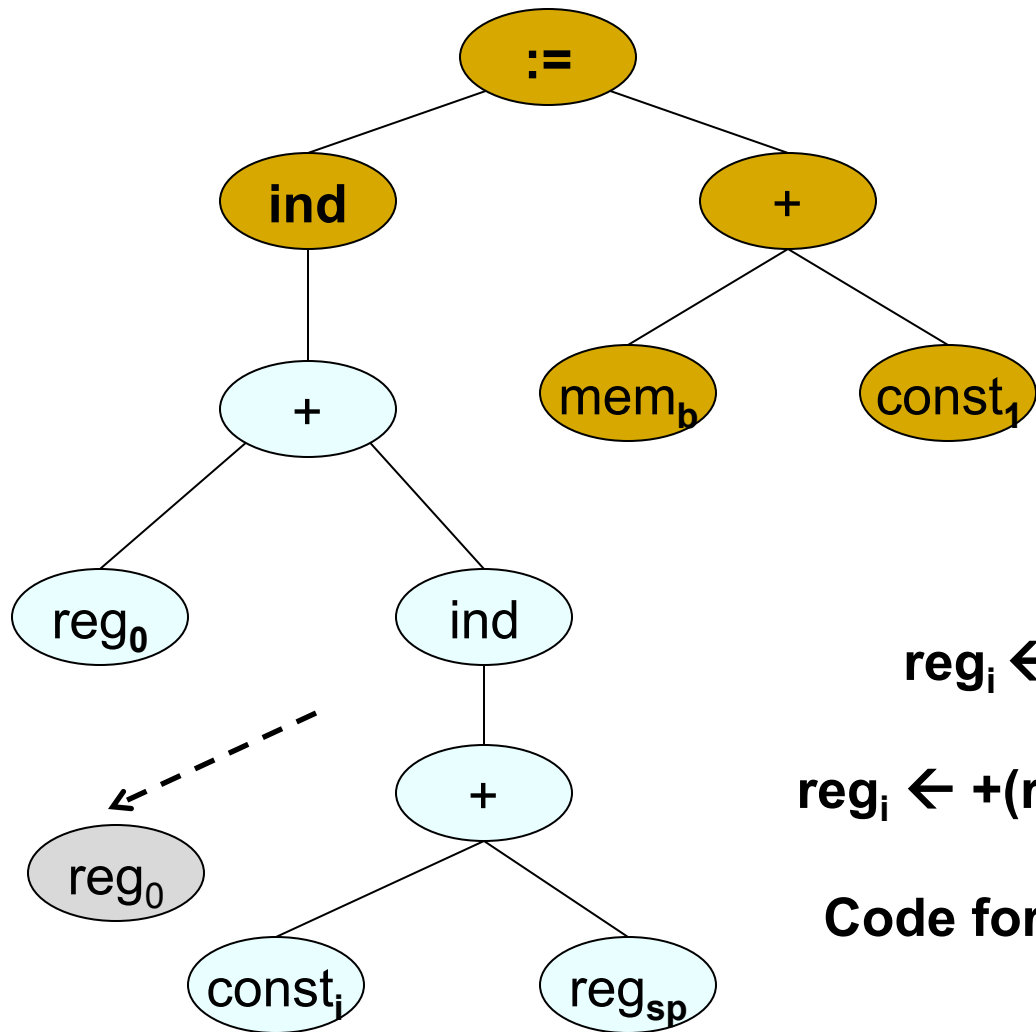
Pattern
 $\text{reg}_i \leftarrow +(\text{reg}_i, \text{reg}_j)$

Code
Add SP, R0



Code so far:
Load #a, R0
Add SP, R0

Match #3



Code so far:

Load #a, R0

Add SP, R0

Add #i(SP), R0

Pattern

$\text{reg}_i \leftarrow \text{ind } +(\text{const}_c, \text{reg}_j)$

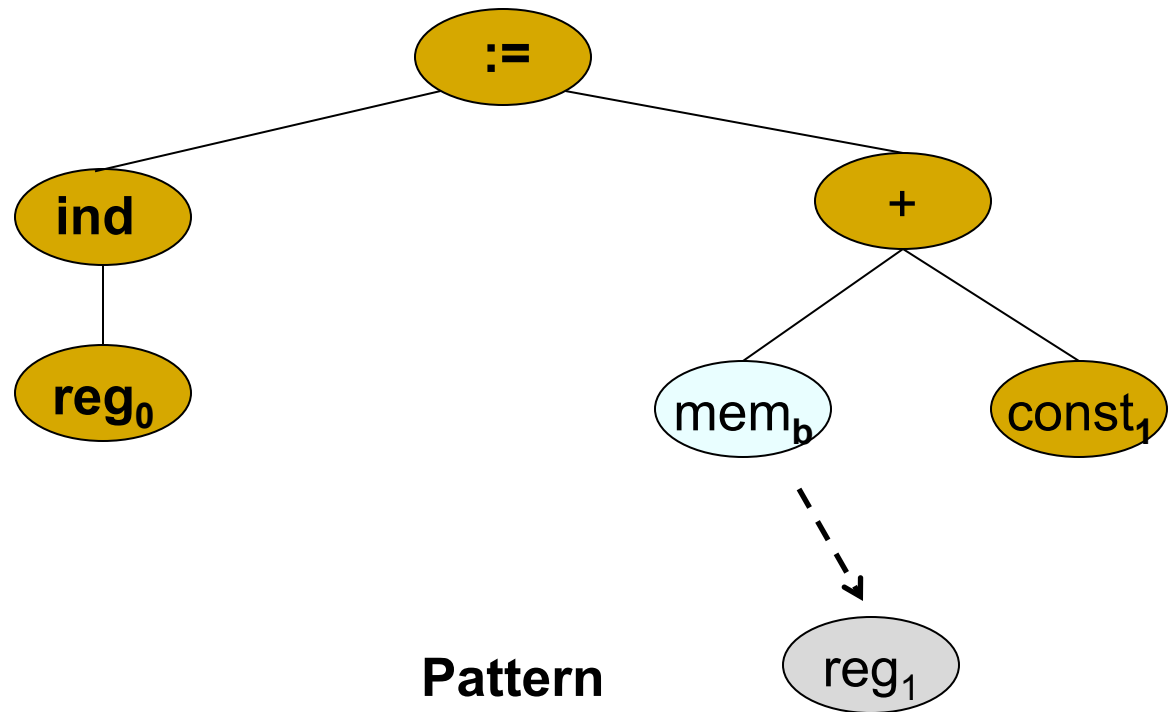
OR

$\text{reg}_i \leftarrow +(\text{reg}_i, \text{ind } +(\text{const}_c, \text{reg}_j))$

Code for 2nd alternative (chosen)

Add #i(SP), R0

Match #4



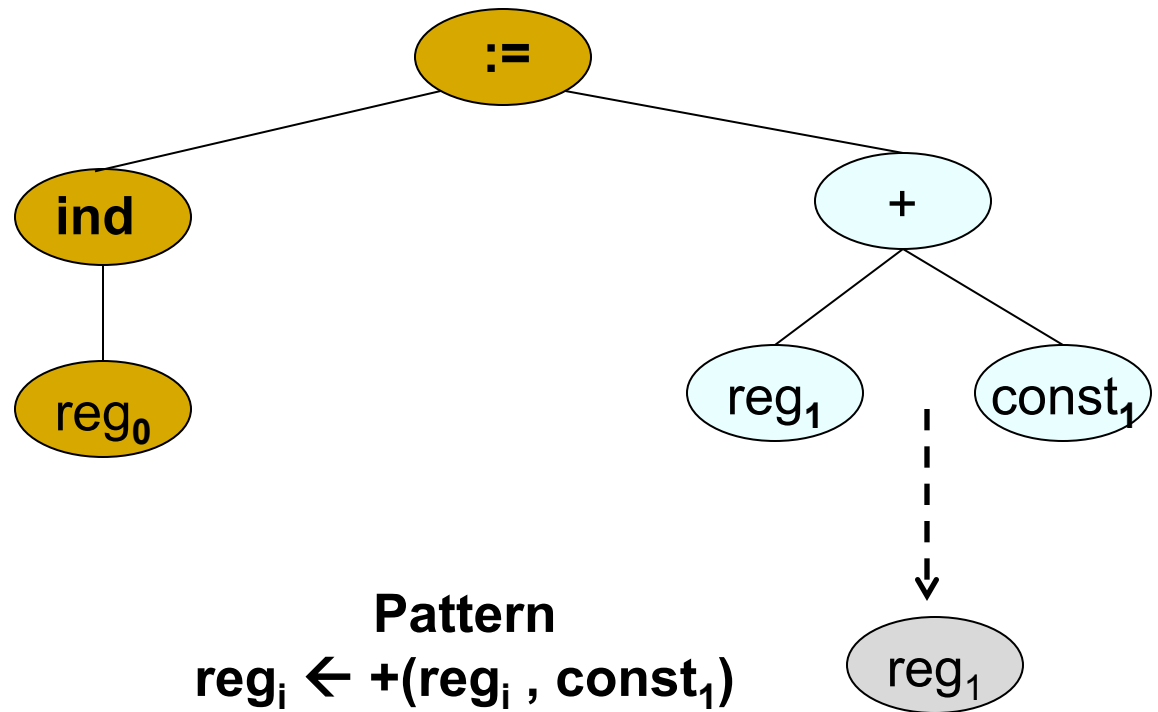
Code so far:

Load #a, R0
Add SP, R0
Add #i(SP), R0
Load b, R1

Pattern
 $\text{reg}_i \leftarrow \text{mem}_a$

Code
Load b, R1

Match #5



Code so far:

Load #a, R0
Add SP, R0
Add #i(SP), R0
Load b, R1
Inc R1

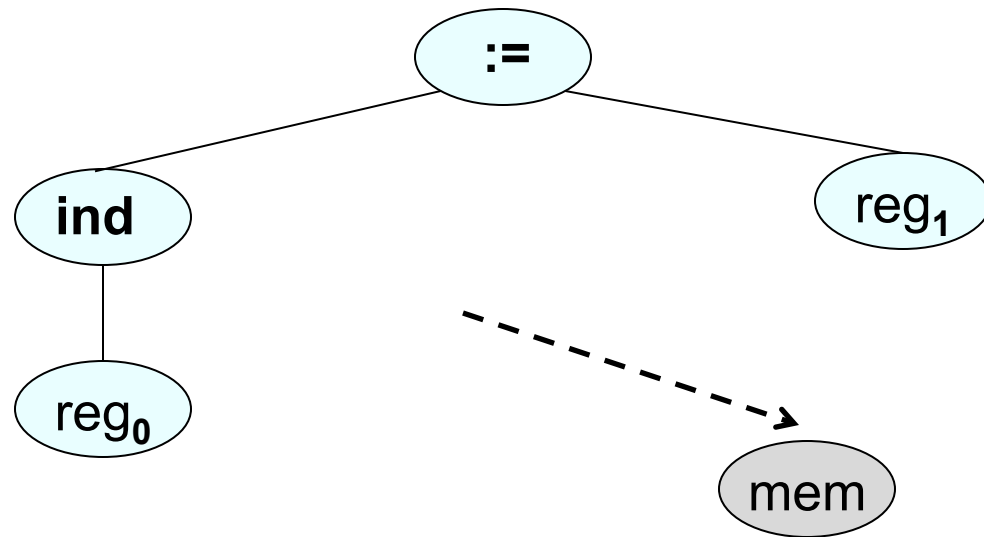
Pattern

$\text{reg}_i \leftarrow +(\text{reg}_i, \text{const}_1)$

Code

Inc R1

Match #6



Code so far:

Load #a, R0
Add SP, R0
Add #i(SP), R0
Load b, R1
Inc R1
Load R1, *R0

Pattern

$\text{mem} \leftarrow :=(\text{ind}(\text{reg}_i), \text{reg}_j)$

Code

Load R1, *R0

Code Generator Generators (CGG)

- Based on tree pattern matching and dynamic programming
- Accept tree patterns, associated costs, and semantic actions (for register allocation and object code emission)
- Produce tree matchers that produce a cover of minimum cost
- Make two passes
 - First pass is a bottom-up pass and finds a set of patterns that cover the tree with minimum cost
 - Second pass executes the semantic actions associated with the minimum cost patterns at the nodes they matched
- Twig, BURG, and IBURG are such CGGs

Code Generator Generators (2)

■ IBURG

- ❑ Uses dynamic programming (DP) at compile time
- ❑ Costs can involve arbitrary computations
- ❑ The matcher is hard coded

■ TWIG

- ❑ Uses a table-driven tree pattern matcher based on Aho-Corasick string pattern matcher
- ❑ High overheads, could take $O(n^2)$ time, n being the number of nodes in the subject tree
- ❑ Uses DP at compile time
- ❑ Costs can involve arbitrary computations

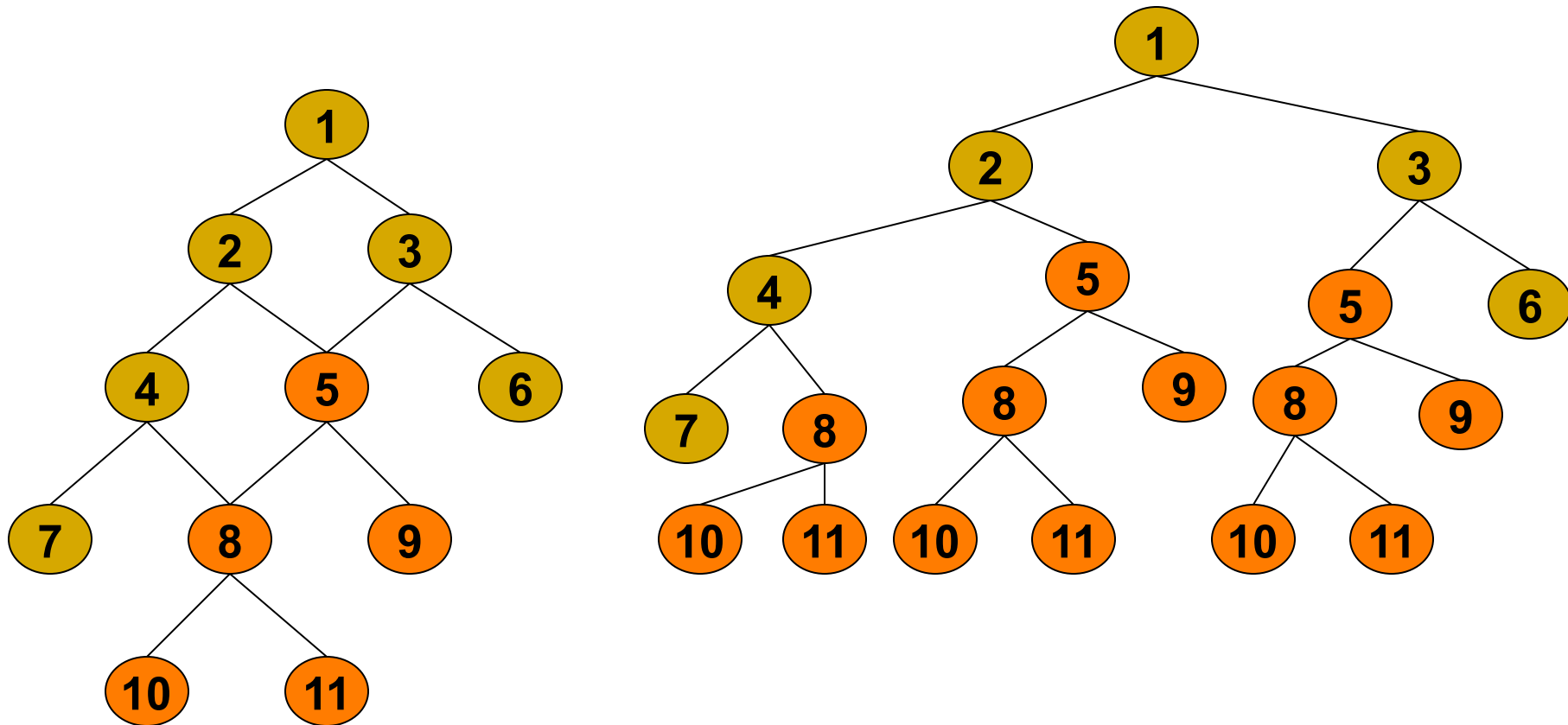
■ BURG

- ❑ Uses BURS (bottom-up rewrite system) theory to move DP to compile-compile time (matcher generation time)
- ❑ Table-driven, more complex, but generates optimal code in $O(n)$ time
- ❑ Costs must be constants

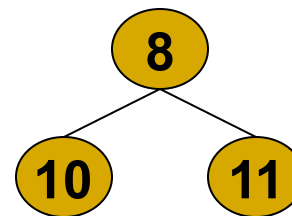
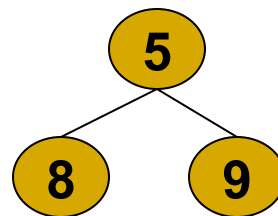
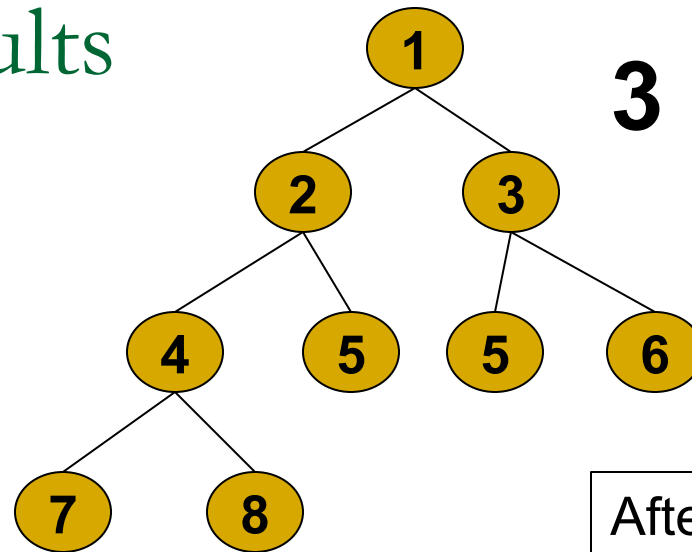
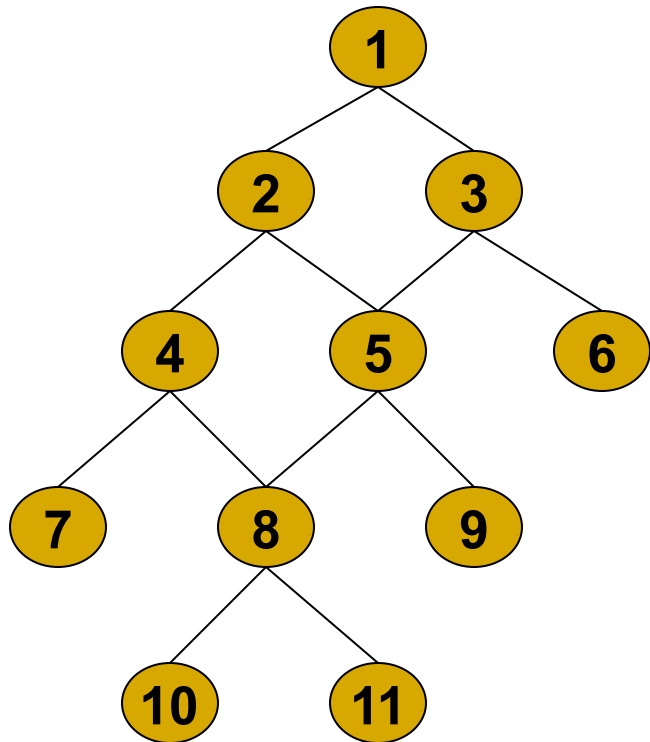
Code Generation from DAGs

- Optimal code generation from DAGs is **NP-Complete**
- DAGs are divided into trees and then processed
- We may replicate shared trees
 - **Code size increases drastically**
- We may store result of a tree (root) into memory and use it in all places where the tree is used
 - **May result in sub-optimal code**

DAG example: Duplicate shared trees



DAG example: Compute shared trees once and share results



After computing tree 1, the computation of subtree 4-7-8 of tree 3 can be done before or after tree 2

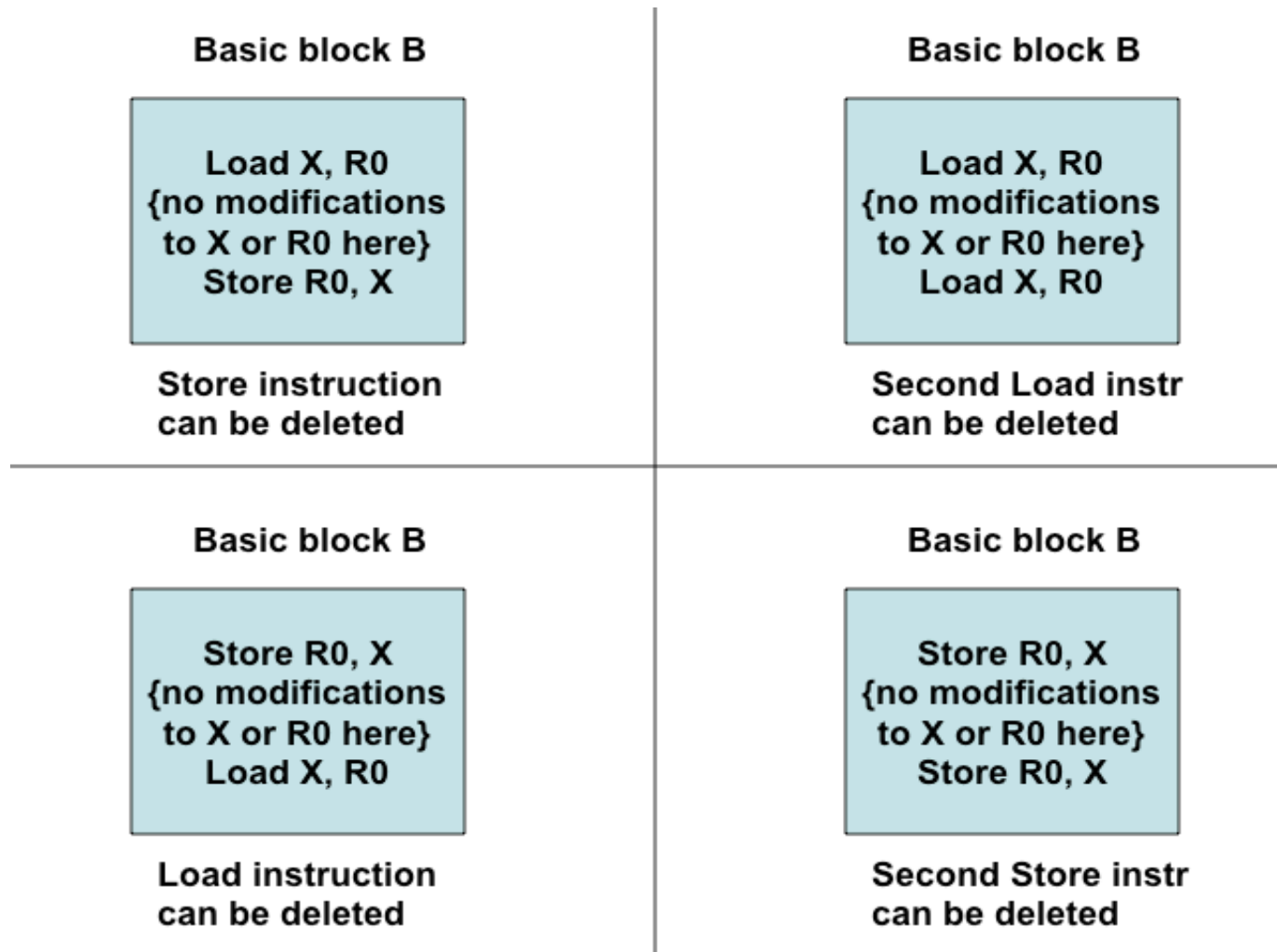
Peephole Optimizations

- Simple but effective local optimization
- Usually carried out on machine code, but intermediate code can also benefit from it
- Examines a sliding window of code (peephole), and replaces it by a shorter or faster sequence, if possible
- Each improvement provides opportunities for additional improvements
- Therefore, repeated passes over code are needed

Peephole Optimizations

- Some well known peephole optimizations
 - ❑ eliminating redundant instructions
 - ❑ eliminating unreachable code
 - ❑ eliminating jumps over jumps
 - ❑ algebraic simplifications
 - ❑ strength reduction
 - ❑ use of machine idioms

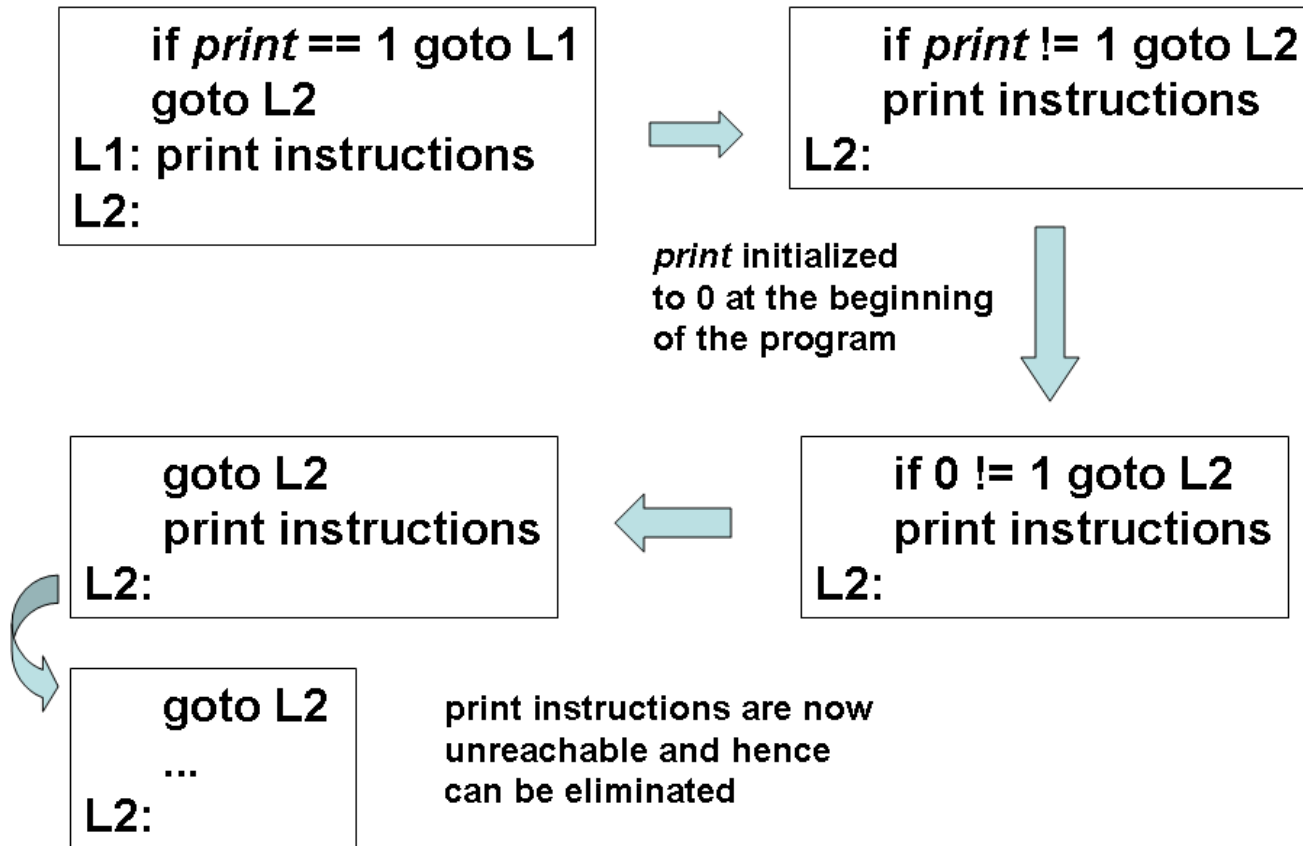
Elimination of Redundant Loads and Stores



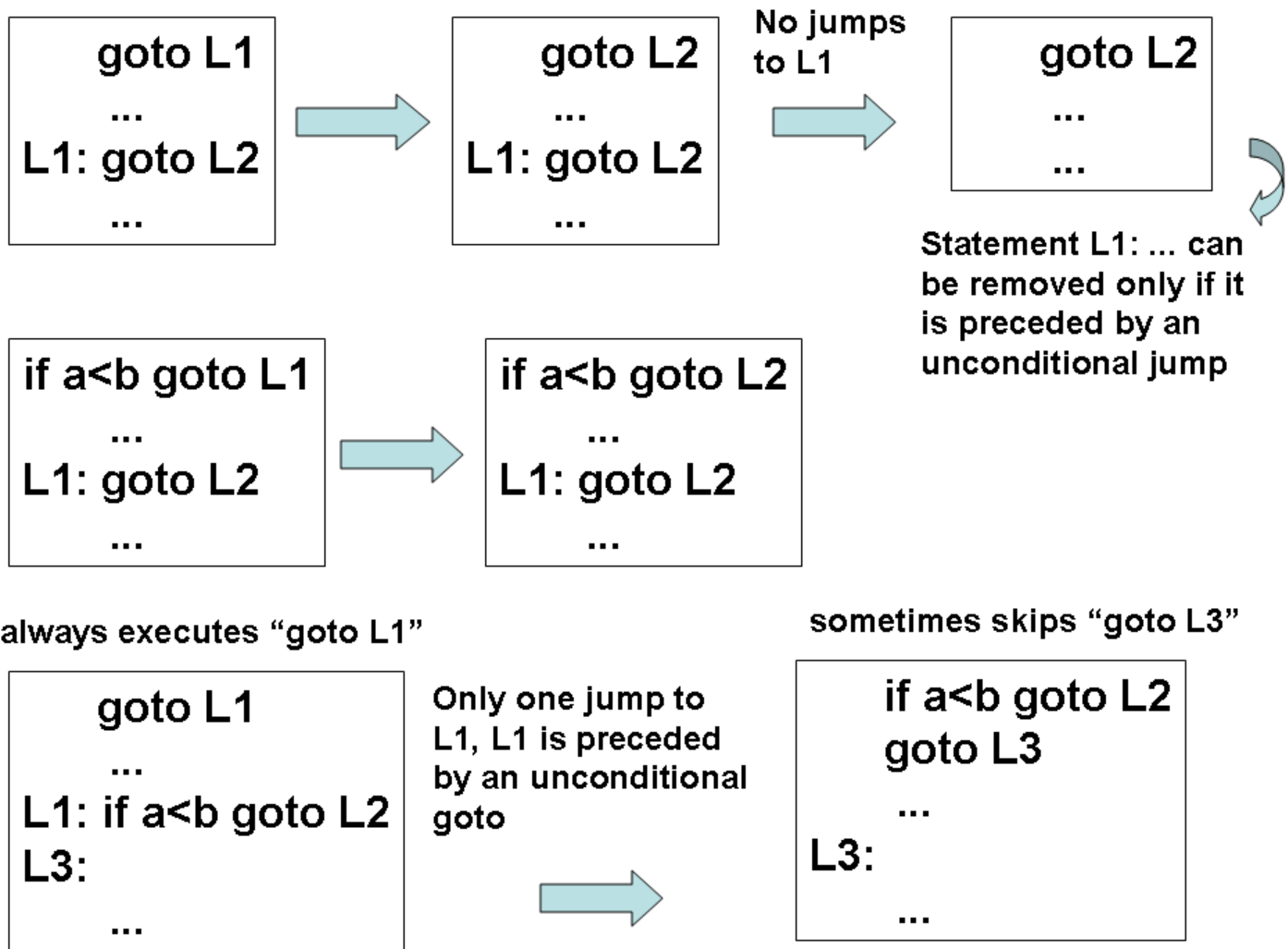
Eliminating Unreachable Code

- An unlabeled instruction immediately following an unconditional jump may be removed
 - May be produced due to debugging code introduced during development
 - Or due to updates to programs (changes for fixing bugs) without considering the whole program segment

Eliminating Unreachable Code



Flow-of-Control Optimizations



Reduction in Strength and Use of Machine Idioms

- x^2 is cheaper to implement as $x*x$, than as a call to an exponentiation routine
- For integers, $x*2^3$ is cheaper to implement as $x \ll 3$ (x left-shifted by 3 bits)
- For integers, $x/2^2$ is cheaper to implement as $x \gg 2$ (x right-shifted by 2 bits)

Reduction in Strength and Use of Machine Idioms

- Floating point division by a constant can be approximated as multiplication by a constant
- Auto-increment and auto-decrement addressing modes can be used wherever possible
 - Subsume INCREMENT and DECREMENT operations (respectively)
- Multiply and add is a more complicated pattern to detect

Implementing Object-Oriented Languages

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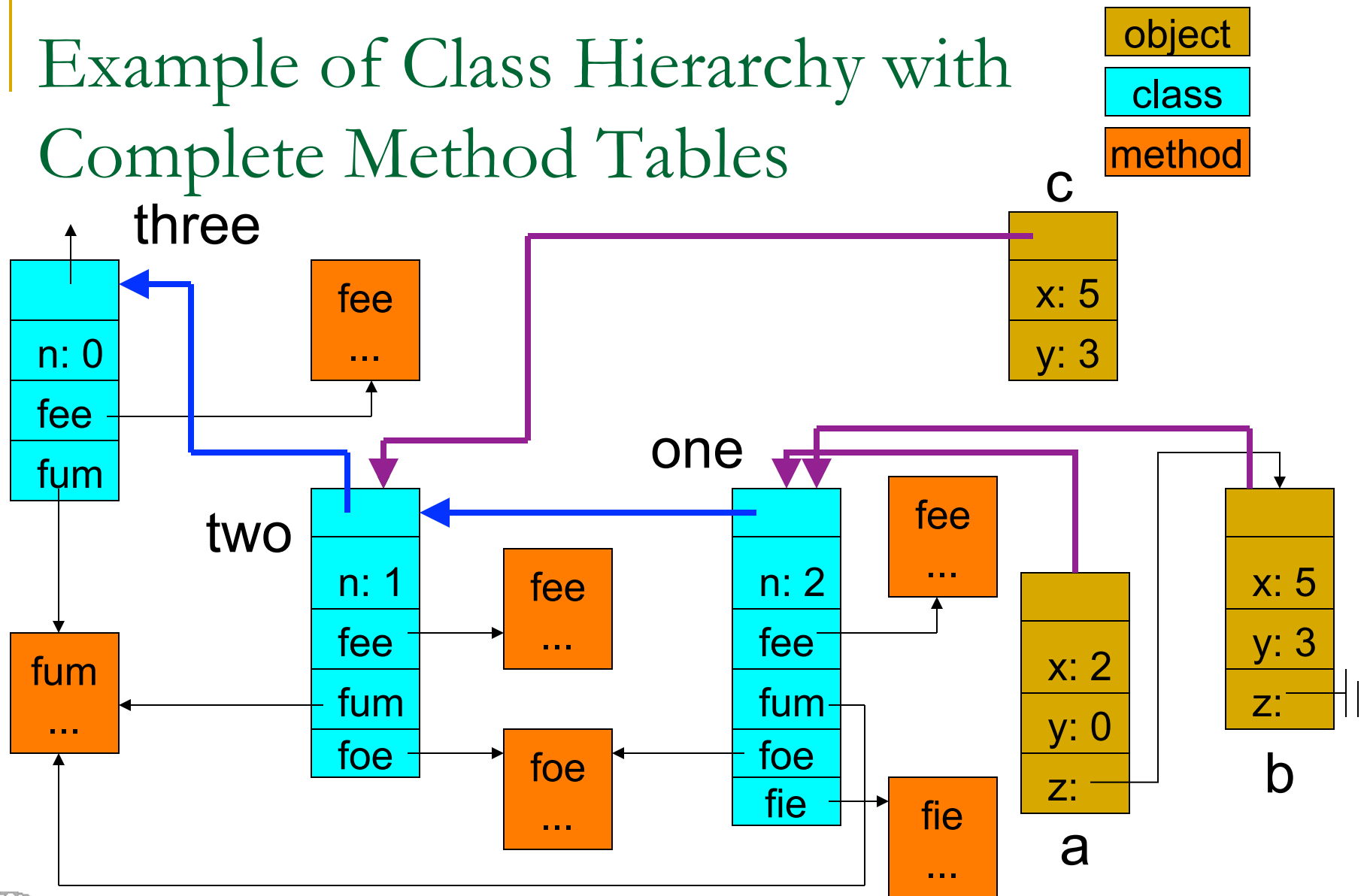
Outline of the Lecture

- Language requirements
- Mapping names to methods
- Variable name visibility
- Code generation for methods
- Simple optimizations
- **Parts of this lecture are based on the book, “Engineering a Compiler”, by Keith Cooper and Linda Torczon, Morgan Kaufmann, 2004, sections 6.3.3 and 7.10.**

Language Requirements

- Objects and Classes
- Inheritance, subclasses and superclasses
- Inheritance requires that a subclass have all the instance variables specified by its superclass
 - Necessary for superclass methods to work with subclass objects
- If A is B's superclass, then some or all of A's methods/instance variables may be redefined in B

Example of Class Hierarchy with Complete Method Tables



Mapping Names to Methods

- Method invocations are not always static calls
- *a.fee()* invokes *one.fee()*, *a.foe()* invokes *two.foe()*, and *a.fum()* invokes *three.fum()*
- Conceptually, method lookup behaves as if it performs a search for each procedure call
 - These are called virtual calls
 - Search for the method in the receiver's class; if it fails, move up to the receiver's superclass, and further
 - To make this search efficient, an implementation places a complete method table in each class
 - Or, a pointer to the method table is included (virtual tbl ptr)

Mapping Names to Methods

- If the class structure can be determined wholly at compile time, then the method tables can be statically built for each class
- If classes can be created at run-time or loaded dynamically (class definition can change too)
 - full lookup in the class hierarchy can be performed at run-time or
 - use complete method tables as before, and include a mechanism to update them when needed