

LECTURE - 14

Dealing with Control Hazards

- Software techniques:
 - Branch delay slots
 - Software branch prediction
 - Canceling or nullifying branches
 - Misprediction rates can be high
 - Worse if multiple issue per cycle
- Hence, hardware/dynamic branch prediction

Branch Prediction Buffer

- PC --> Taken/Not-Taken (T/NT) mapping
 - Can use just the last few bits of PC
 - Prediction may be that of some other branch
 - Ok since correctness is not affected
 - Shortcoming of this prediction scheme:
 - Branch mispredicted twice for each execution of a loop
 - Bad if loop is small
- ```
for(int i = 0; i < 10; i++) {
 x[i] = x[i] + C;
}
```

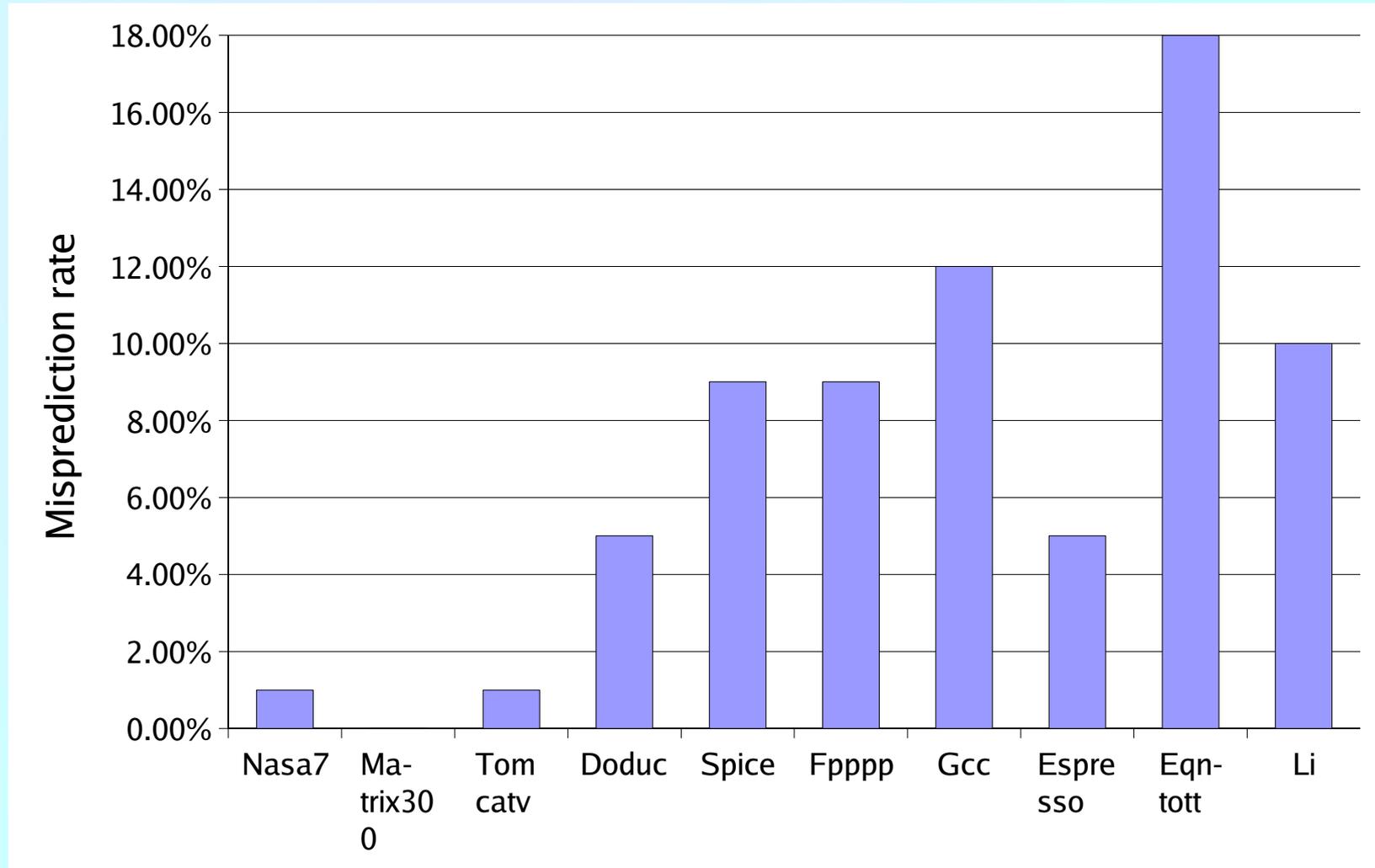
# Two-Bit Predictor

- Have to mispredict twice before changing prediction
  - Built in hysteresis
- General case is an n-bit predictor
  - 0 to  $(2^n)-1$  saturating counter
  - 0 to  $(2^{[n-1]})-1$  predict as taken
  - $2^{[n-1]}$  to  $(2^n)-1$  predict as not-taken
- Experimental studies: 2-bit as good as n-bit

# Implementing Branch Prediction Buffers

- Implementing branch prediction buffers
  - Small cache accessed along with the instruction in IF
  - Or, additional 2 bits in instruction cache
- Note: branch prediction buffer not useful for DLX pipeline
  - Branch target not known earlier than branch condition

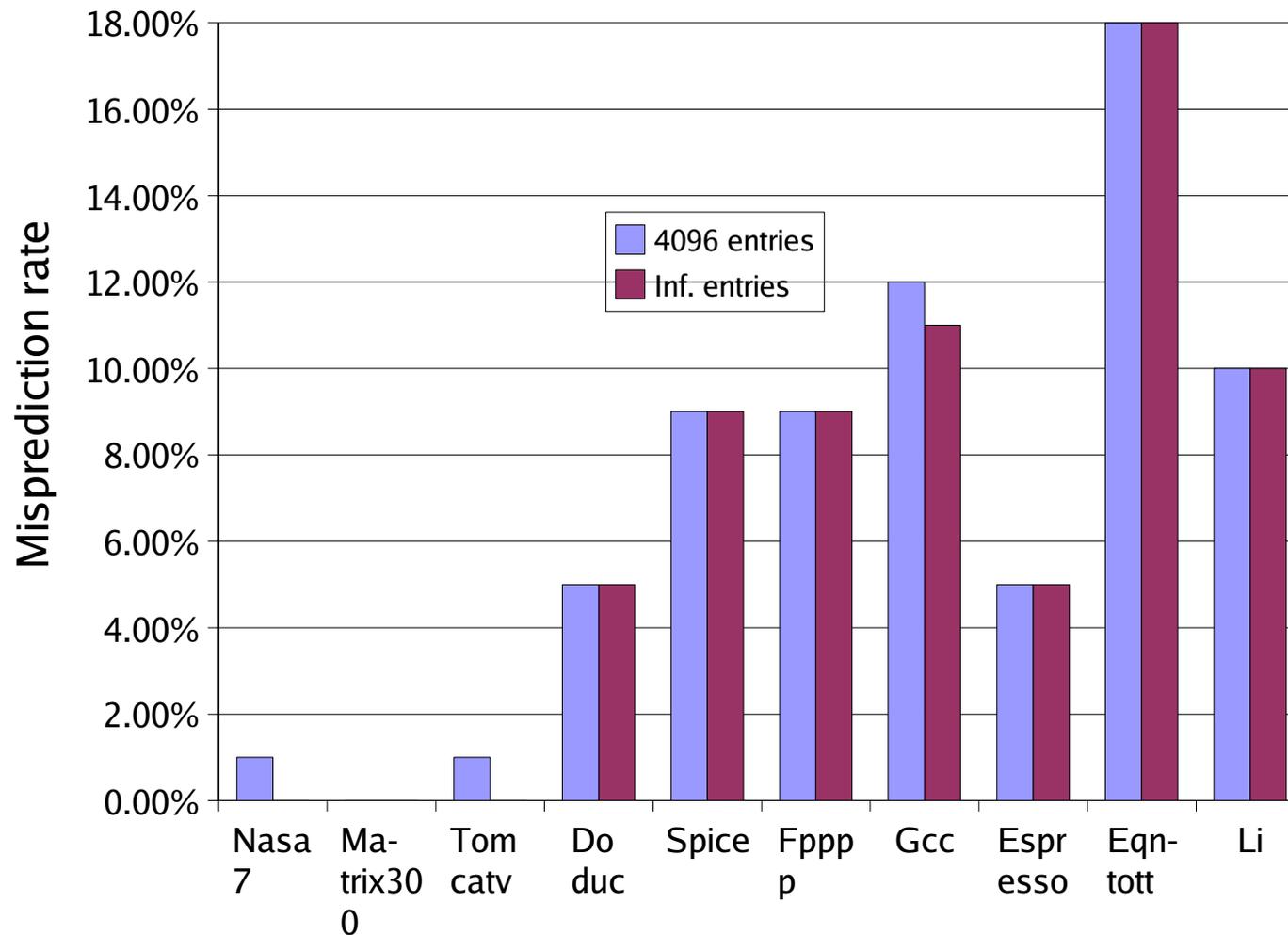
# Prediction Performance



- 4096 entries in the prediction buffer
- SPEC89, IBM Power architecture

# Improving Branch Prediction

- Two ways: increase buffer size, improve accuracy



# Improving Prediction Accuracy

- Predict branches based on outcomes of *recent other branches*

```
if(aa == 2) {
```

```
 aa = 0;
```

```
}
```

```
if(bb == 2) {
```

```
 bb = 0;
```

```
}
```

```
if(aa == bb) {
```

```
 // Do something
```

- Correlating, or two-level predictor

# Two-Level Predictor

- There are effectively two predictors for each branch:
  - Depending on whether previous branch is T/NT

| Prediction bits | Prediction if last branch NT | Prediction if last branch T |
|-----------------|------------------------------|-----------------------------|
| NT/NT           | NT                           | NT                          |
| NT/T            | NT                           | T                           |
| T/NT            | T                            | NT                          |
| T/T             | T                            | T                           |

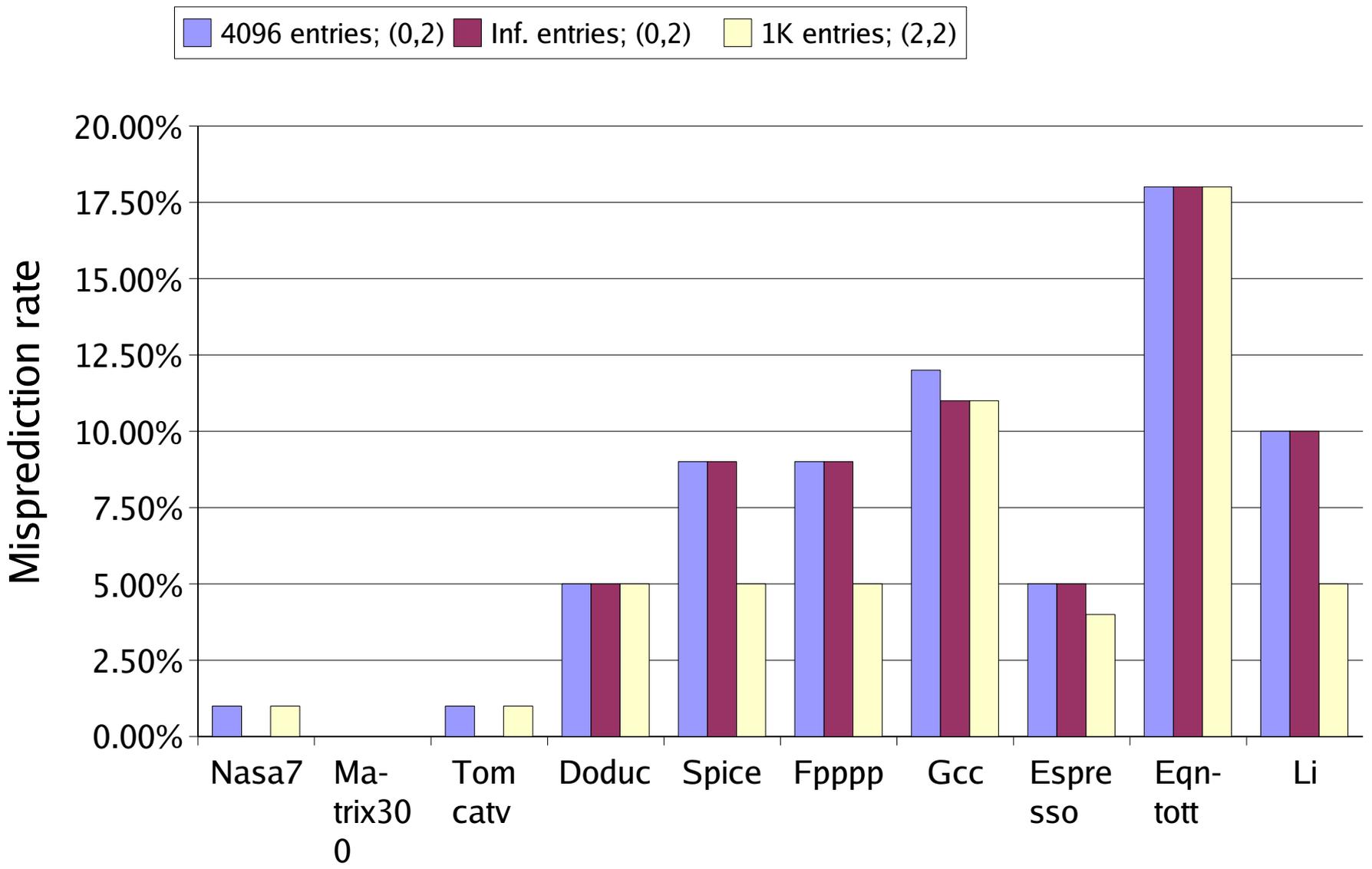
# Two-Level Predictor (continued)

- Last predictor was a (1,1) predictor
  - One bit each of history, and prediction
- General case is (m,n) predictor
  - m bits of history, n bits of prediction
- How to implement?
  - Have an m-bit shift register

# Cost of Two-Level Predictor

- Number of bits required:
  - Num. branch entries  $\times 2^m \times n$
- How many bits in 4096 (0,2) predictor?
  - 8K
- How many branch entries for an 8K (2,2) predictor?
  - 1K

# Performance of (2,2) Predictor



# Branch Target Buffer

- Branch prediction buffer is not useful for DLX
  - Need to know target address by the end of IF
- Store branch target address also
  - Branch target buffer, or cache
- Access branch target buffer in IF cycle
  - Hit ==> predicted branch target known at the end of IF
  - We also need to know if the branch is predicted  
T/NT

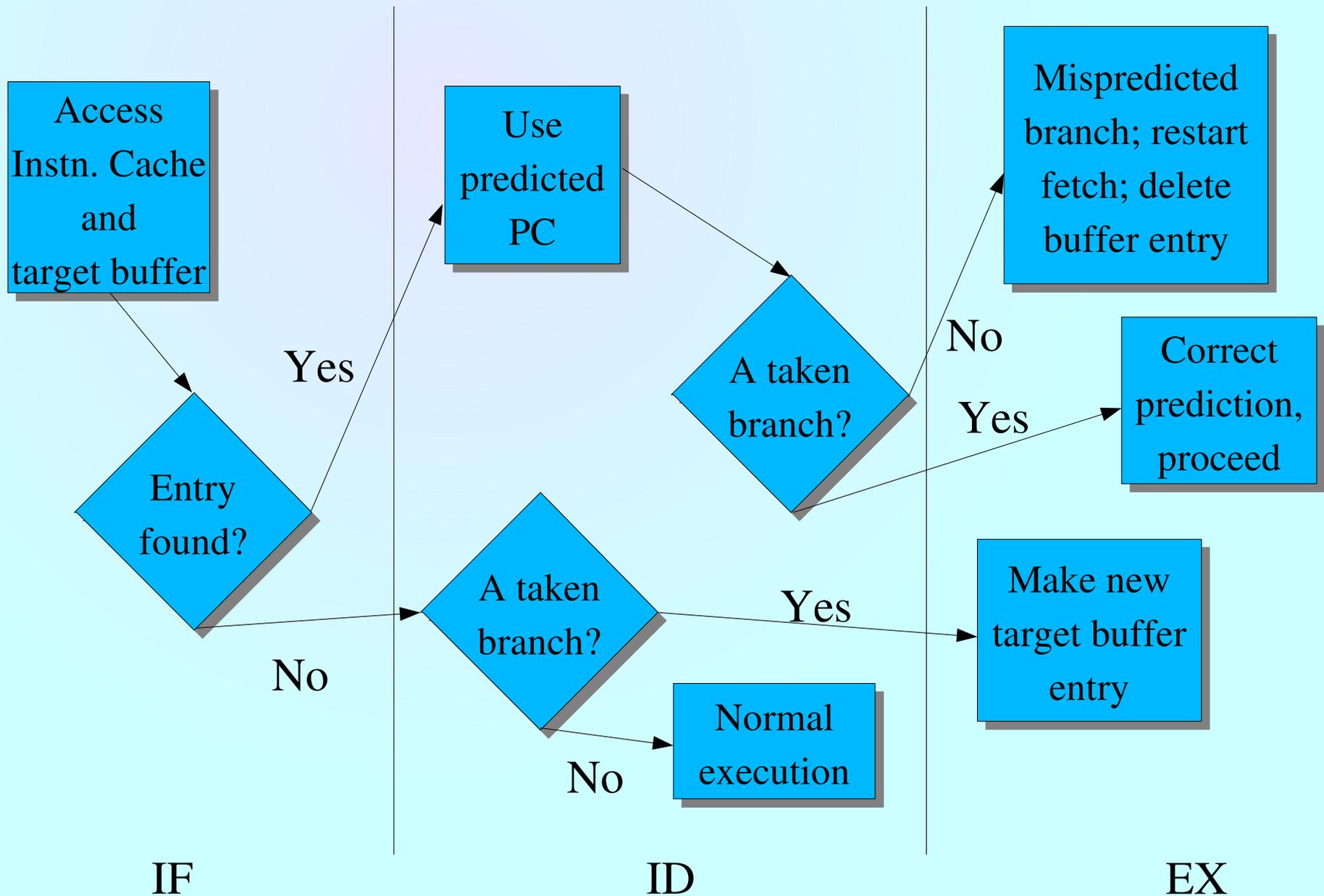
# Branch Target Buffer (continued)

Lookup based on PC

|  | Predicted target |
|--|------------------|
|  |                  |
|  |                  |
|  |                  |
|  |                  |

- No entry found ==> (Target = PC+4)
- Exact match of PC is important
  - Since we are predicting even before knowing that it is a branch instruction
  - Hardware is similar to a cache
- Need to store predicted PC only for taken predictions

# Steps in Using a Target Buffer



# Penalties in Branch Prediction

| Buffer hit? | Branch taken? | Penalty |
|-------------|---------------|---------|
| Yes         | Yes           | 0       |
| Yes         | No            | 2       |
| No          | -             | 2       |

- Given a prediction accuracy of  $p$ , a buffer hit-rate of  $h$ , and a taken branch frequency of  $f$ , what is the branch penalty?
  - $h \times (1-p) \times 2 + (1-h) \times f \times 2$

# Storing Target Instructions

- Directly store instructions instead of target address
  - Target buffer access is now allowed to take longer
  - Or, *branch folding* can be achieved
    - Replace fetched instruction with that found in the target buffer entry
    - Zero cycle unconditional branch; may be conditional as well