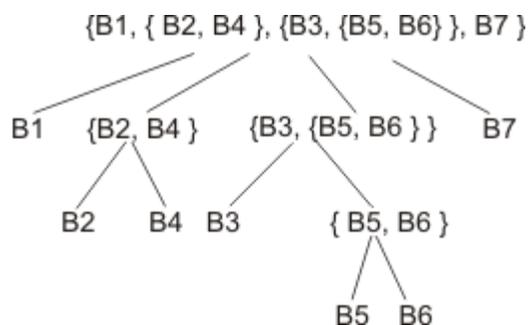


The Lecture Contains:

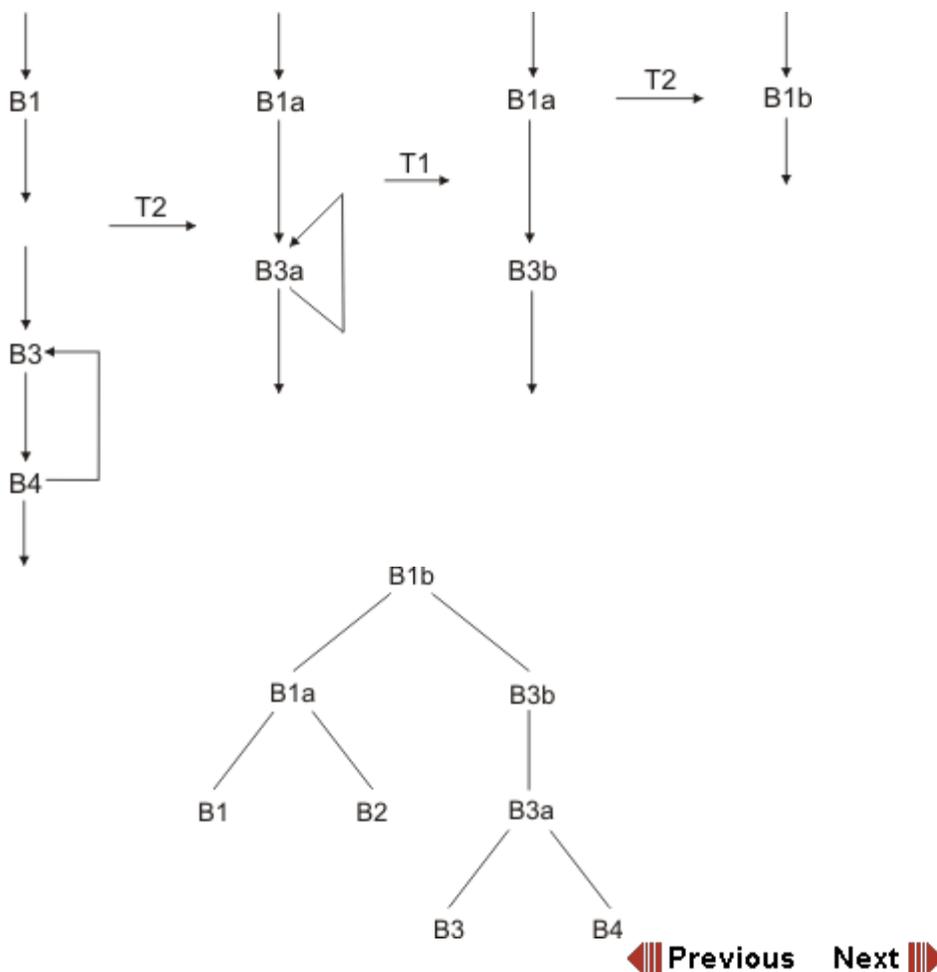
- ☰ T1- T2 Analysis
- ☰ Structural Analysis
- ☰ Dataflow Analysis
- ☰ Typical Equation
- ☰ Reaching Definitions
- ☰ Analysis of Structured Programs
- ☰ Reaching Definition Analysis
- ☰ Constant Folding
- ☰ Example

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T1- T2 Analysis

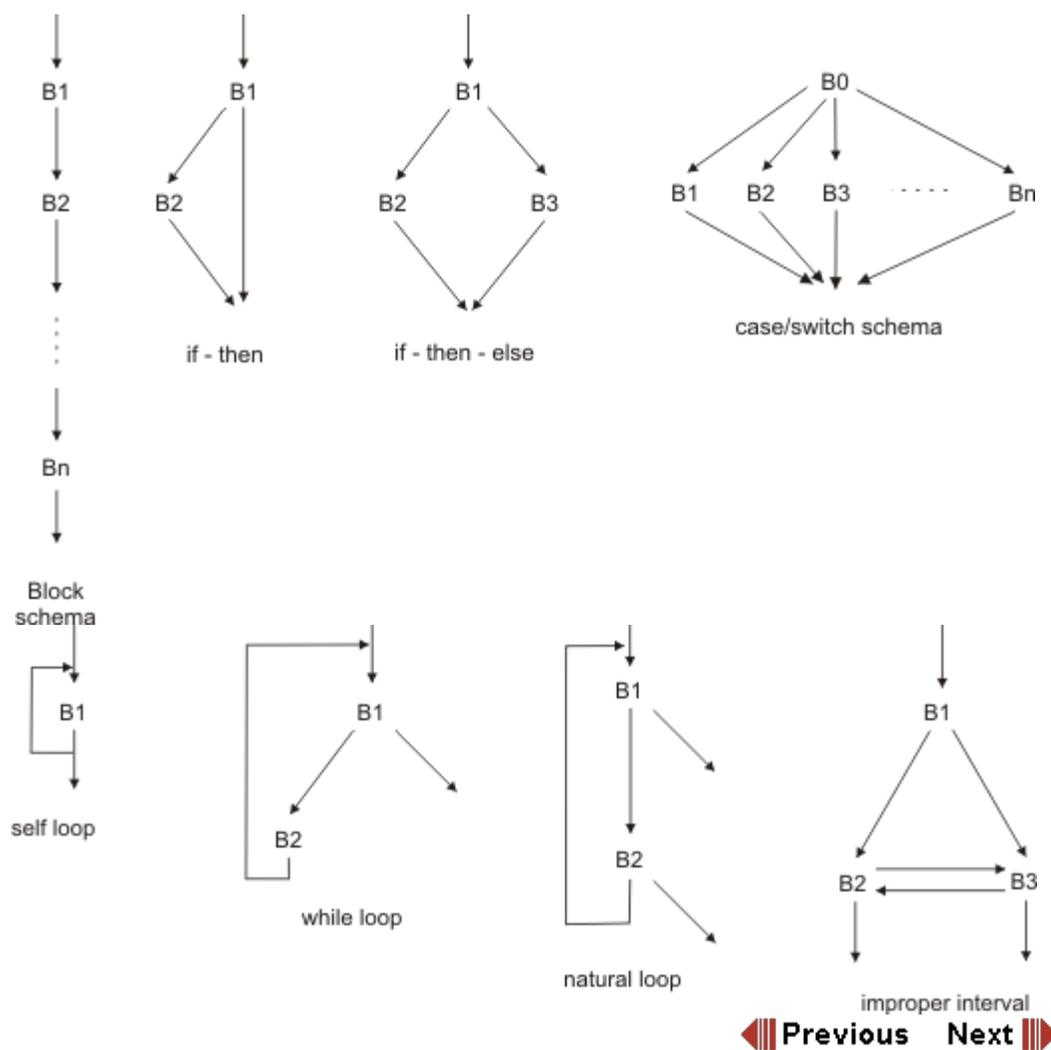
- T1 transformation collapses one node self loop to a node
- T2 transformation collapses sequence of two nodes into one if the second node has only one predecessor



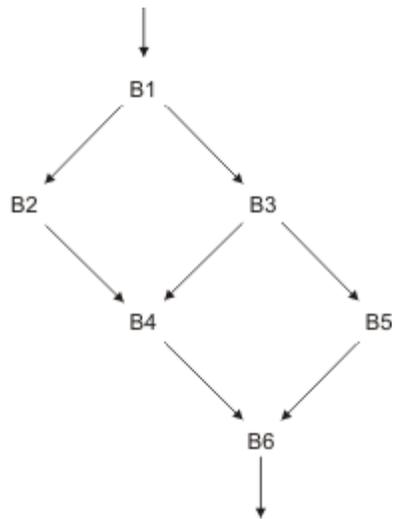
Structural Analysis

- It is a more refined form of interval analysis
- It uses syntax directed method of dataflow analysis
- For each structure in the source it gives a formula
- It is more efficient than iterative method
- It has a construct for each type of region
- Control tree is larger than the one generated by interval analysis
- Each region is simple and small
- Every region has exactly one entry point

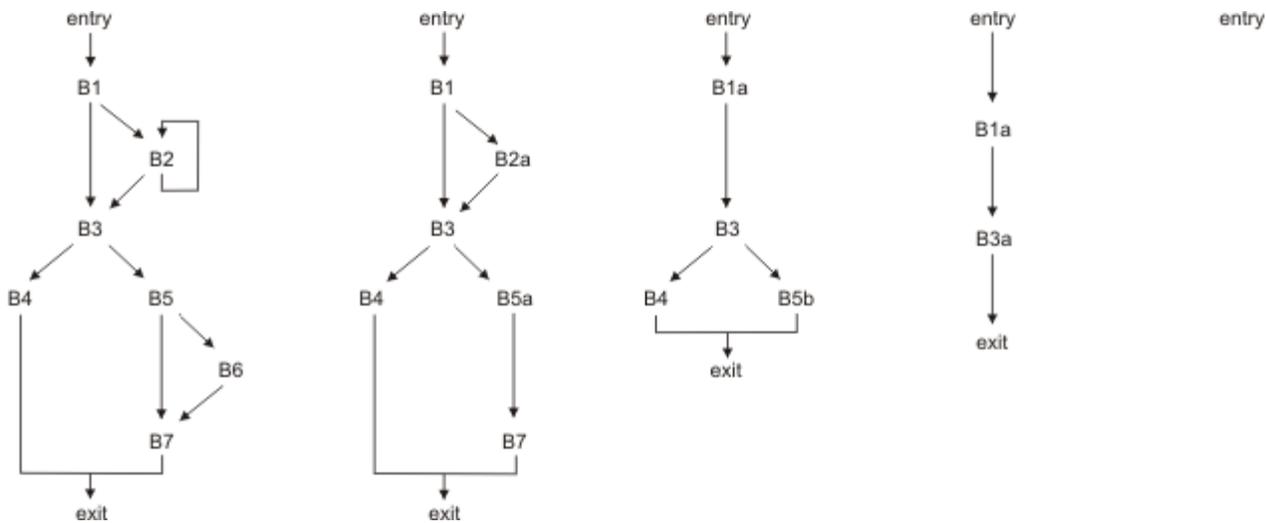
Some types of cyclic regions used in structural analysis



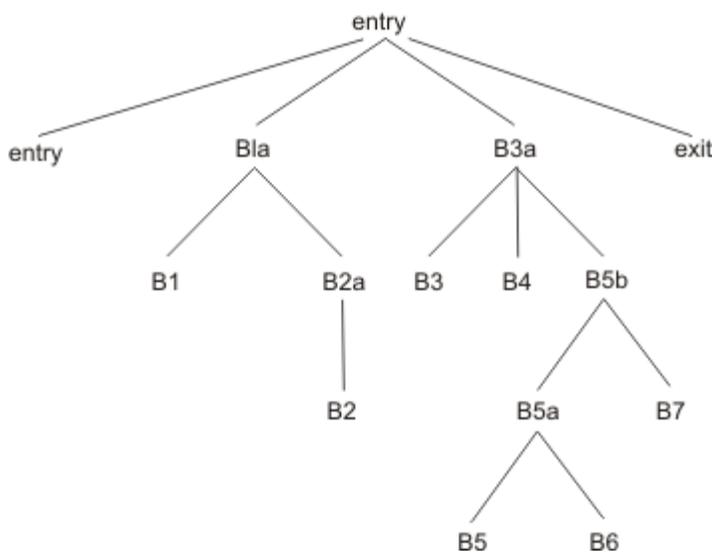
An acyclic region that does not fit any of the simple categories and so is identified as a proper interval

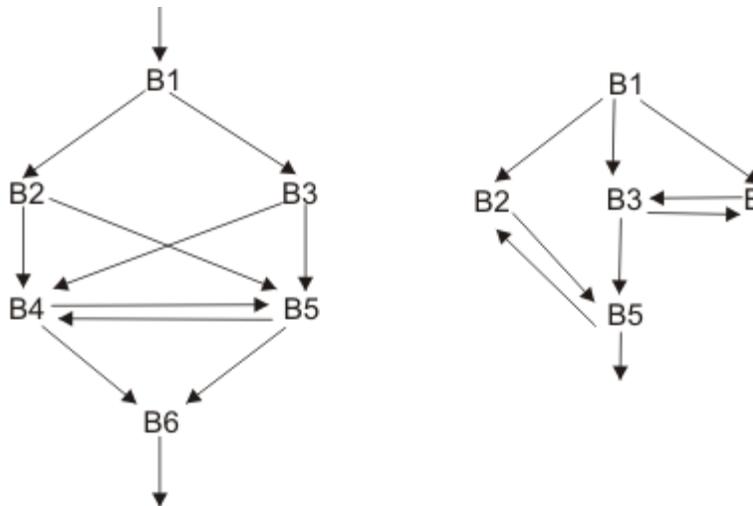


Structural Analysis of a flow graph



Control tree of the flow graph analyzed in the previous slide





Improper Intervals

Dataflow Analysis

- Provide info about how a program segment manipulates data
- Analysis must be conservative and aggressive
- Collect information for optimization
 - Reaching definition
 - Available expression
 - Live variable
 - Busy expression

Reaching Definition : A definition d reaches a point p if there is a path from d to p and d is not killed on the path

Available Expression : An expression $X+Y$ is available at point p if every path to p evaluates $X+Y$ and after the last such evaluation no assignment to X or Y

Live Variable : For a variable X and point p whether value of X at p can be used along some path starting from p . If yes X is live at p else X is dead at p

Busy Expression : An expression B op C is busy at point p if along every path from p we come to computation B op C before any definition of B or C

Typical Equation

$$out(S) = gen(S) [in(S) - kill(S)$$

Gen : definitions generated

Kill : definitions killed

In : input definitions

Out : output definitions

Reaching Definitions

Unambiguous Definitions Assignments

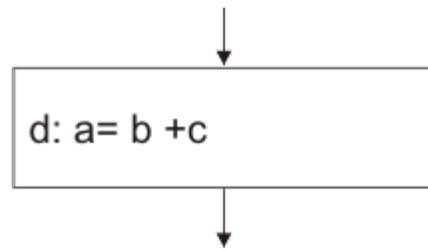
:

Ambiguous Definitions : –procedure call with
X as var parameter
–procedure that can

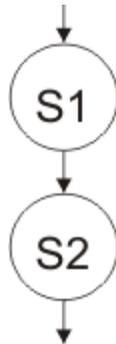
access X
-pointer *q = y

 Previous **Next** 

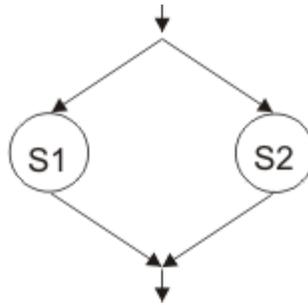
Analysis of Structured Programs



$gen(S) = \{d\}$
 $kill(S) = Da - \{d\}$
 $out(S) = gen(S) \cup in(S) - kill(S)$

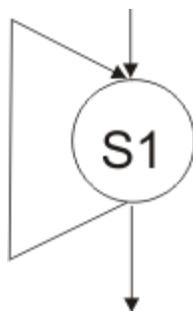


$gen(S) = gen(S2) \cup gen(S1) - kill(S2)$
 $kill(S) = kill(S2) \cup kill(S1) - gen(S2)$
 $in(S1) = in(S)$
 $in(S2) = out(S1)$
 $out(S) = out(S2)$



$gen(S) = gen(S1) \cup gen(S2)$
 $kill(S) = kill(S1) \cap kill(S2)$
 $out(S) = out(S1) \cup out(S2)$

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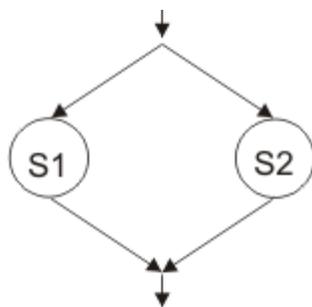
$$\text{gen}(S) = \text{gen}(S1)$$

$$\text{kill}(S) = \text{kill}(S1)$$

$$\text{out}(S) = \text{out}(S1)$$

$$\text{in}(S1) = \text{in}(S) \cup \text{gen}(S1)$$

Assumptions : All paths in the flow graph are possible



Suppose E is true and it never goes to S2

$$\text{gen}(S) = \text{gen}(S1)$$

$$\text{kill}(S) = \text{kill}(S1)$$

$$\text{out}(S) = \text{out}(S1)$$

Therefore

$$\text{true gen}(S) \quad \text{gen}(S)$$

$$\text{true kill}(S) \quad \text{kill}(S)$$

True is what is computed during execution therefore, this is safe estimate

- Prevents optimization
- No wrong optimization

Module 14: Approaches to Control Flow Analysis

Lecture 28: Structural Analysis

Reaching Definition Analysis

$$in(B) = \bigcup_{P \text{ is pred of } B} out(P)$$

$$out(B) = gen(B) \cup in(B)$$

A definition d reaches end of a block iff either

- It is generated in the block
- It reaches block and not killed

Kill & gen known for each block. A program with N blocks has $2N$ equations with $2N$ unknowns and therefore, solution is possible.

- Use iterative forward bit vector approach

for each block B do

$in(B) = \emptyset$;

$out(B) = gen(B)$

endfor;

change = true;

while change do

change = false;

for each block B do

newin = $\bigcup_{P \text{ pred of } B} out(P)$

if newin \neq in(B) then {

change = true;

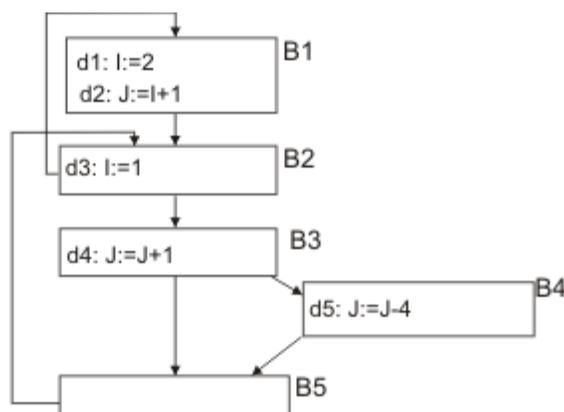
in(B) = newin;

out(B) = in(B) - kill(B) \cup gen(B);

}

endfor

endwhile



Block	gen	kill
B_1	d_1, d_2	d_3, d_4, d_5
B_2	d_3	d_1
B_3	d_4	d_2, d_5
B_4	d_5	d_2, d_4
B_5	\emptyset	\emptyset

Module 14: Approaches to Control Flow Analysis

Lecture 28: Structural Analysis

block	init		pass1		pass2		pass3	
	in	out	in	out	in	out	in	out
B_1		$d_1 d_2$	d_3	$d_1 d_2$	$d_2 d_3$	$d_1 d_2$	$d_2 d_3 d_4 d_5$	$d_1 d_2$
B_2		d_3	$d_1 d_2$	$d_2 d_3$	$d_1 d_2 d_3 d_4 d_5$	$d_2 d_3 d_4 d_5$	$d_1 d_2 d_3 d_4 d_5$	$d_2 d_3 d_4 d_5$
B_3		d_4	$d_2 d_3$	$d_3 d_4$	$d_2 d_3 d_4 d_5$	$d_3 d_4$	$d_2 d_3 d_4 d_5$	$d_3 d_4$
B_4		d_5	$d_3 d_4$	$d_3 d_5$	$d_3 d_5$	$d_3 d_5$	$d_3 d_4$	$d_3 d_5$
B_5			$d_3 d_4 d_5$	$d_3 d_4 d_5$	$d_3 d_4 d_5$	$d_3 d_4 d_5$	$d_3 d_4 d_5$	$d_3 d_4 d_5$

$ud(I, d2) = d1$

$ud(J, d4) = d2d4d5$

$ud(J, d5) = d4$

$ud(I, B5) = d3$

Constant Folding

While changes occur do

for all the stmts S of the program do

for each operand B of S do

if there is a unique definition of B

that reaches S and is a constant C

then replace B by C in S;

if all the operands of S are constant

then replace rhs by eval(rhs);

endfor

endfor

endwhile

Example

