

One has to pursue questions earnestly,  
Like a faithful shadow meticulously,  
One should bear questions in mind,  
Like a small innocent inquisitive child.






-Dr. D.P. Mishra

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## Module 5: Premixed Flame

### Lecture 22: Introduction

#### The Lecture Contains:

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## Premixed Flame

### Introduction

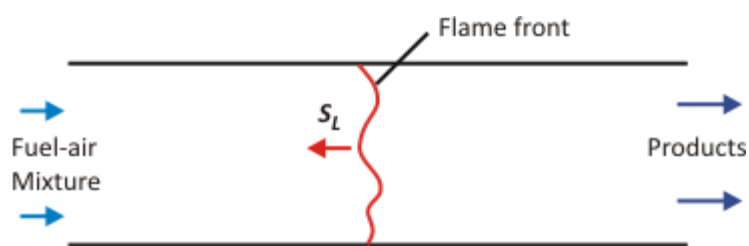
**Premixed Flame:** Fuel and oxidizer are mixed well at the molecular level before combustion

**Examples of premixed flame :**

Bunsen burner, LPG domestic burner, SI Engine, Afterburner in jet engine

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## One-dimensional Combustion Wave



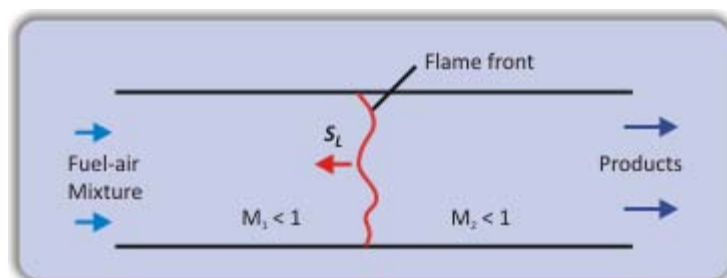
(Figure 22.1)

Speed of combustion wave: 20-340 cm/s

Depends on

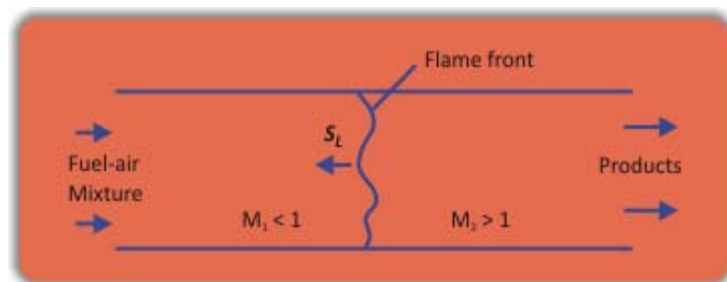
Type of fuel-air mixture  
Equivalence Ratio

(Figure 22.2)



Deflagration

(Figure 22.3)



Detonation

(Figure 22.4)

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## Module 5: Premixed Flame

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## Analysis of 1D Flame

Continuity Equation :  $\rho_1 V_1 = \rho_2 V_2 = \dot{m}$

Momentum Equation :  $\rho_1 + \rho_1 V_1^2 = P_2 + \rho_2 V_2^2$

Energy Equation :  $C_{p1} T_1 + \frac{V_1^2}{2} + q = C_{p2} T_2 + \frac{V_2^2}{2}$

State Equations:

$$P_1 = \rho_1 R T_1$$

$$P_2 = \rho_2 R T_2$$

$\rho, V, P, T$  are the density, velocity, pressure and temperature

$q$  is the heat release per unit mass =  $\sum Y_i \Delta h_{f,i}^0$

$Y_i$  is the mass fraction of  $i^{th}$  species

$\Delta h_{f,i}^0$  heat of formation of  $i^{th}$  species

Combining Continuity and Momentum Equations and expressing them in terms of Mach number,

$$P_1^2 V_1^2 = \frac{P_2 - P_1}{\left(\frac{1}{\rho_1} - \frac{1}{\rho_2}\right)} = \dot{m}^2 \quad \Rightarrow \quad \text{Rayleigh Relation} \quad M_1^2 = \frac{1}{\gamma} \left( \frac{P_1/P_2 - 1}{1 - \rho_1/\rho_2} \right)$$

Rearranging the energy equation, we can get

$$q = \frac{\gamma}{\gamma - 1} \left( \frac{P_2}{\rho_2} - \frac{P_1}{\rho_1} \right) - \frac{1}{2} (P_2 - P_1) \left( \frac{1}{\rho_1} + \frac{1}{\rho_2} \right) \quad \Rightarrow \quad \text{Rankine - Hugoniot Relation}$$

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**Hugoniot Curve ..**

**Hugoniot Curve :**  $P_2$  vs.  $1/\rho_2$  for a

fixed value of  $q$ , inlet pressure  $P_1$ ,

and inlet density  $\rho_1$

**Region I:** Pressure of burned gas ( $P_2$ ) > Pressure of C-J detonation wave ( $P_U$ );

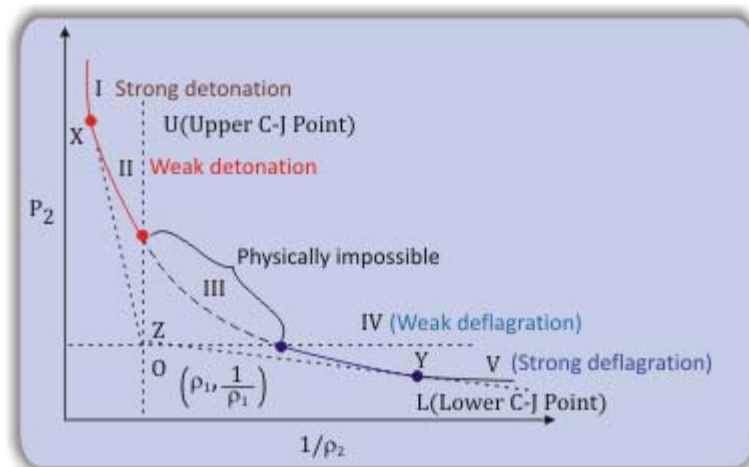
**Strong detonation**

→ Gas velocity relative to wave front is slowed

to **subsonic** speed

→  $M_2 < 1.0$

→ Pressure and density **increases** significantly  
for  $P_2 \rightarrow \infty$ ,  $M_1$  will be  $\infty$ ; rarely observed



O: Origin of the plot  
(Figure 22.5)

**Region II:** Pressure of burned gas ( $P_2$ ) < Pressure of C-J detonation wave ( $P_U$ ); **Weak detonation**

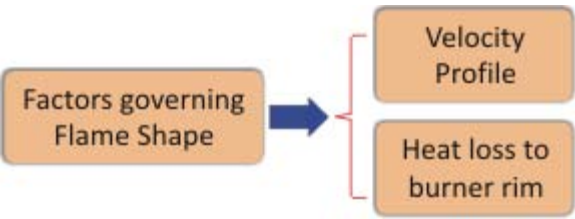
→ Gas velocity relative to wave front is slowed to **subsonic** speed

→ Burned gas velocity > speed of sound at **isochoric** condition ( $1/\rho_2 \approx 1/\rho_1$ ), weak detonation attains infinite velocity

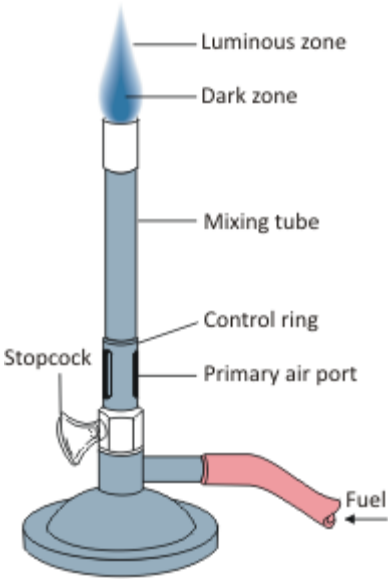
**Region III:** In this region  $P_2 < P_1$ ; Therefore  $1/\rho_2 \gg 1/\rho_1$

Hence  $M_1$  in this region is imaginary and **physically impossible**

Laminar Premixed Flame



(Figure 22.6)



**Bunsen Brner**  
(Figure 22.7)

First laboratory premixed  
**Glame burner** : Invented by  
Robert Bunsen in 1855

### Luminous Zone

Portion of flame in which temperature is high and has several radicals to emit radiation

Flame radiation: 3300 to 4400 A°



(Figure 22.8)