Х reviewer2@nptel.iitm.ac.in ▼ Courses » Probability and Random Variables / Processes for Wireless Communications Progress Announcements Course Ask a Question y Unit 2 - Basics of **Probability, Conditional Probability, MAP Principle** in Assignment 1 Course outline The due date for submitting this assignment has passed. Due on 2017-02-07, 23:59 IS As per our records you have not submitted this assignment. How to access the portal 1) Q1. The first axiom of probability states 1 point **Basics of** Probability, $P(A) \leq 1$ Conditional Probability, MAP **Principle** $P(A) \ge 0$ Basics - Sample Space and $P(A \cup B) = P(A) + P(B)$ Events Axioms of $P(A|B) = P(A \cap B)/P(B)$ Probability No, the answer is incorrect. Conditional Score: 0 Probability -**Accepted Answers:** Mary-PAM Example $P(A) \ge 0$ Independent 2) Q2. For two events A, B, it is always true that 1 point Events - Mary-PAM Example $P(A) + P(B) \ge 1$ Independent Events - Block Transmission $P(A) + P(B) \le 1$ Example Independent $P(A) - P(A \cup B) \le P(A \cap B)$ Events -Multiantenna $P(A|B) \le P(A)$ Fading Example No, the answer is incorrect. OQuiz : Assignment 1 Score: 0 **Accepted Answers:** Assignment-1 Solutions $P(A) - P(A \cup B) \le P(A \cap B)$ 3) Q3. The levels of a *M*-ary PAM constellation with M = 8 are Random 1 point Variables, $\{-7\alpha, -5\alpha, -3\alpha, -\alpha, \alpha, 3\alpha, 5\alpha, 7\alpha\}$. The probabilities of these symbols are related as Probability $P((2i-1)\alpha) = 2P((2i-3)\alpha)$, for $-2 \le i \le 4$. The probability $P(5\alpha)$ is, Density Functions, 1/8 Applications in 0 1/16 Wireless Channels 64/255 1/255 Basics of Random

Processes,

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Wireless Fading No, the answer is incorrect. Channel Score: 0 Modeling Accepted Answers: 64/255 Gaussian Random 4) Q4. The levels of a *M*-ary PAM constellation with M = 8 are 1 point Process, Noise, $\{-7\alpha, -5\alpha, -3\alpha, -\alpha, \alpha, 3\alpha, 5\alpha, 7\alpha\}$. The probabilities of these symbols are related as **Bit-Error and** $P((2i-1)\alpha) = 2P((2i-3)\alpha)$, for $-2 \le i \le 4$. Consider two events Impact on Wireless $A = \{-7\alpha, -3\alpha, \alpha\}, B = \{-5\alpha, -3\alpha, 7\alpha\}$. The probability $P(A \cup B)$ is, f Y D **Systems** 63/255 3/8 0 1/127 0 151/255 No, the answer is incorrect. Score: 0 **Accepted Answers:** 151/255 5) Q5. The levels of a *M*-ary PAM constellation with M = 8 are 1 point $\{-7\alpha, -5\alpha, -3\alpha, -\alpha, \alpha, 3\alpha, 5\alpha, 7\alpha\}$. The probabilities of these symbols are related as $P((2i-1)\alpha) = 2P((2i-3)\alpha)$, for $-2 \le i \le 4$. Consider two events $A = \{-3\alpha, -\alpha, \alpha, 3\alpha\}, B = \{-7\alpha, -3\alpha, \alpha, 5\alpha\}$. The probability P(A|B) is, 4/17 85/255 22/255 9/127 No, the answer is incorrect. Score: 0 **Accepted Answers:** 4/17 6) Q6. Two events A, B are independent if and only if, 1 point $P(A \cup B) = P(A) + P(B) - P(A)P(B)$ P(A|B) = P(B) $P(A \cap B)/P(A) = P(A|B)$ All of the above No. the answer is incorrect. Score: 0 **Accepted Answers:** $P(A \cup B) = P(A) + P(B) - P(A)P(B)$ 7) Q7. The levels of a *M*-ary PAM constellation with M = 8 are 1 point $\{-7\alpha, -5\alpha, -3\alpha, -\alpha, \alpha, 3\alpha, 5\alpha, 7\alpha\}$. The probabilities of these symbols are related as $P((2i-1)\alpha) = 2P((2i-3)\alpha)$, for $-2 \le i \le 4$. Let x_1, x_2 denote the symbols at time instants 1, 2 respectively. Consider two events $A = \{-3\alpha, -\alpha, \alpha, 3\alpha\}, B = \{-7\alpha, -3\alpha, \alpha, 5\alpha\}$. If the symbols at different time instants are *independent*, then probability $P((x_1 \in A) \cap (x_2 \in B))$ is, 3/255 4/51 4/85 33/255

> No, the answer is incorrect. Score: 0 **Accepted Answers:**

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4/51 8) Q8. The levels of a *M*-ary PAM constellation with M = 8 are 1 point $\{-7\alpha, -5\alpha, -3\alpha, -\alpha, \alpha, 3\alpha, 5\alpha, 7\alpha\}$. The probabilities of these symbols are related as $P((2i-1)\alpha) = 2P((2i-3)\alpha)$, for $-2 \le i \le 4$. Let x_1, x_2 denote the symbols at time instants 1, 2 respectively. Consider two events $A = \{-3\alpha, -\alpha, \alpha, 3\alpha\}, B = \{-7\alpha, -3\alpha, \alpha, 5\alpha\}$. If the symbols at different time instants are *independent*, then probability $P((x_1 \in A) \cup (x_2 \in B))$ is, 0 151/255 3/255 f V D 0 17/127 25/51 No, the answer is incorrect. Score: 0 **Accepted Answers:** 25/51 in 9) Q9. The levels of a *M*-ary PAM constellation with M = 8 are 1 point $\{-7\alpha, -5\alpha, -3\alpha, -\alpha, \alpha, 3\alpha, 5\alpha, 7\alpha\}$. The probabilities of these symbols are related as $P((2i-1)\alpha) = 2P((2i-3)\alpha)$, for $-2 \le i \le 4$. Let x_1, x_2 denote the symbols at time instants 2 respectively. Consider two events $A = \{-5\alpha, -\alpha, \alpha, 5\alpha\}, B = \{-7\alpha, -3\alpha, 3\alpha, 7\alpha\}$. If the symbols at different time instants are *independent*, then probability $P((x_1 \in A) | (x_2 \in A \cup B))$ is, 2/17 4/17 6/17 8/17 No. the answer is incorrect. Score: 0 **Accepted Answers:**

6/17

10Q10. The levels of a *M*-ary PAM constellation with M = 8 are 1 point $\{-7\alpha, -5\alpha, -3\alpha, -\alpha, \alpha, 3\alpha, 5\alpha, 7\alpha\}$. The probabilities of these symbols are related as $P((2i-1)\alpha) = 2P((2i-3)\alpha)$, for $-2 \le i \le 4$. The symbols at different time instants are *independent*. Also, for each symbol x, the probability of symbol error e is $P(e|x) = N_x/10$, where N_x is the number of neighbors of x. For example, -3α , α are the neighbors of $-\alpha$. What is the average probability of symbol error?

- 67/850
- 87/850
- 0 107/850
- 0 127/850

No, the answer is incorrect. Score: 0

Accepted Answers: 127/850

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