

Electron Diffraction & Imaging

Assignment No – 2

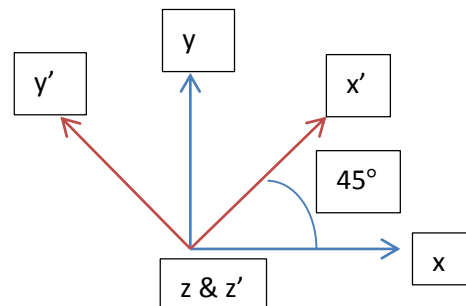
- What is the type of Bravais lattice that can be generated from a rectangular 2-d lattice by keeping successive layers in such a way that the lattice points of adjacent layer are at positions that have only 1 - fold symmetry wrt to the present one?
 - Tetragonal lattice
 - Triclinic**
 - Hexagonal
 - Orthorhombic
- What type of Bravais lattice can be generated from a rectangular 2-d lattice by keeping successive layers such that lattice points of adjacent layer occupy positions above the centre of unit cell of the present layer in the 2-D lattice?
 - Simple orthorhombic lattice
 - Body centred orthorhombic lattice**
 - Simple tetragonal lattice
 - Face centred orthorhombic lattice
- (x,y,z) is a random point in the coordinate system. After 45° anticlockwise rotation about z axis the (x,y,z) point transferred to (x',y',z') . Choose the transformation matrix for this operation.

$$\begin{aligned} \text{a) } & \begin{bmatrix} 1/\sqrt{2} & 1/\sqrt{2} & 0 \\ -1/\sqrt{2} & 1/\sqrt{2} & 0 \\ 0 & 0 & 1 \end{bmatrix} \\ \text{b) } & \begin{bmatrix} 1/\sqrt{2} & -1/\sqrt{2} & 0 \\ 1/\sqrt{2} & 1/\sqrt{2} & 0 \\ 0 & 0 & 1 \end{bmatrix} \end{aligned}$$

$$\begin{aligned} \text{c) } & \begin{bmatrix} 1/\sqrt{2} & 1/\sqrt{2} & 0 \\ 1/\sqrt{2} & 1/\sqrt{2} & 0 \\ 0 & 0 & 1 \end{bmatrix} \\ \text{d) } & \begin{bmatrix} 1/\sqrt{2} & -1/\sqrt{2} & 0 \\ 1/\sqrt{2} & 1/\sqrt{2} & 0 \\ 0 & 0 & 1 \end{bmatrix} \end{aligned}$$

Answer: **option (a)**

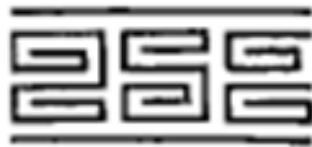
$$\begin{aligned} x' &= x \cos\alpha_{x'x} + y \cos\beta_{x'y} + z \cos\gamma_{x'z} \\ y' &= x \cos\alpha_{y'x} + y \cos\beta_{y'y} + z \cos\gamma_{y'z} \\ z' &= x \cos\alpha_{z'x} + y \cos\beta_{z'y} + z \cos\gamma_{z'z} \end{aligned}$$



Therefore the transformation matrix can be obtained using above equations,

$$\begin{aligned} x' &= x \cos(45) + y \cos(-45) + z \cos(90) = x (1/\sqrt{2}) + y(1/\sqrt{2}) + z (0) \\ y' &= x \cos(135) + y \cos(45) + z \cos(90) = x (-1/\sqrt{2}) + y(1/\sqrt{2}) + z (0) \\ z' &= x \cos(90) + y \cos(90) + z \cos(0) = x (0) + y(0) + z (1) \end{aligned}$$

4. Unit cells of Bravais lattice are chosen so that they exhibit
- The highest rotational symmetry
 - Smallest volume
 - The highest screw axis symmetry
 - Full symmetry of the lattice**
5. The position of a point $P(x, y, z)$ after reflection in mirror if the mirror plane is parallel to yz plane
- $-x, y, z$**
 - $x, -y, z$
 - $x, -y, -z$
 - $-x, -y, z$
6. Find out the symmetry associated with the given pattern.



- P111
- P112
- P1b1**
- Pa11

Answer:

-P - b - P - b - P - b - P - b - Glid p1b1


7. The motif given below has 4 fold symmetry.

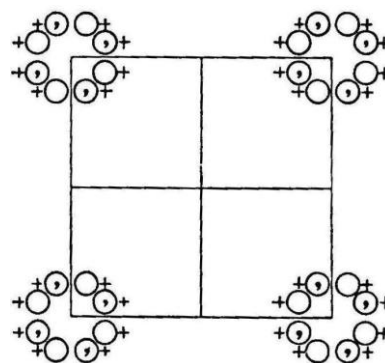


If the motif is placed around each lattice point of a crystal having 4mm symmetry at position having 1 fold symmetry, then how many motifs should be placed around each lattice point to satisfy the full symmetry of the crystal?

- 2
- 8**
- 4
- 6

Answer:

 = motif
 = mirror image of the motif



8. The rectangular p-lattice has $p2mm$ symmetry. If a motif containing $4mm$ symmetry is placed on each lattice point, then what is the minimum and the maximum symmetry the crystal can have?
- a. $p2mm$ and $p4mm$
 - b. $p2$ and $p2mm$**
 - c. $p4$ and $p2mm$
 - d. $p2$ and $p4mm$

Answer: The crystal exhibits the symmetry which is common in both the planar lattice and the motif.

9. The maximum symmetry exhibited by 1-d crystal is
- a) $p2mg$**
 - b) $p2mm$
 - c) $p1b1$
 - d) $p1m2$
10. If a motif is kept at a lattice point, the condition for the lattice and the crystal to have the same symmetry is that
- a) motif and the crystal should have the same symmetry
 - b) motif should have higher symmetry than the crystal
 - c) symmetry axes of motif and the lattice should coincide and motifs and lattice should have the same symmetry elements**
 - d) none of these