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Courses » Computational Fluid Dynamics

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## Unit 6 - Week 5

### Course outline

How to access the portal

Week 1

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Week 4

Week 5

- Lecture 21 : Implementaion of boundary conditions in FVM (contd.)
- Lecture 22 : 1-D Unsteady state diffusion problem
- Lecture 23 : 1-D Unsteady state diffusion problem (contd.)
- Lecture 24 : Consequences of Discretization of Unsteady State Problems
- Lecture 25 : FTCS scheme
- Feedback for Week 5
- Quiz : Week 5 Assignment

Week 6

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### Week 5 Assignment

The due date for submitting this assignment has passed. **Due on 2018-09-12, 23:59 IST**  
As per our records you have not submitted this assignment.

- 1) 1 point
- Consider the problem of source-free heat conduction in an insulated rod whose ends are maintained at constant temperatures of 400K and 800K respectively. The one-dimensional problem sketched in Figure 1a is governed by  $\frac{d}{dx}\left(k\frac{dT}{dx}\right) = 0$ . Thermal conductivity  $k$  equals 100 W/m.K, cross-sectional area  $A$  is  $10 \times 10^{-3} \text{ m}^2$ . The domain is divided into 4 equal control volumes as shown in Figure 1b. If the equations are discretized using finite volume method with a linear approximation to the temperature then the resulting algebraic equation for the node 4 is

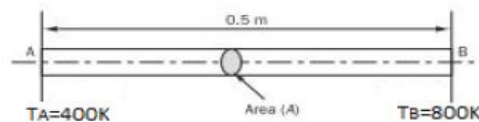


Figure 1a

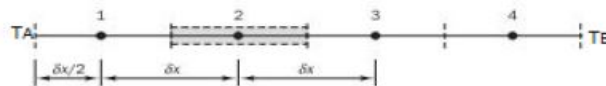


Figure 1b

- (a)  $8T_4 = 24T_3 + 1600$
- (b)  $24T_4 = 8T_3 + 12800$
- (c)  $8T_4 = 16T_3 - 12800$
- (d)  $24T_4 = 8T_3 - 1600$

**No, the answer is incorrect.**  
**Score: 0**

**Accepted Answers:**  
**(b)  $24T_4 = 8T_3 + 12800$**

Week 10

Week 11

Week 12

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2)

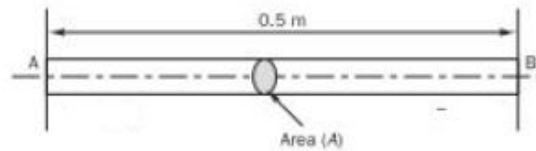


Figure 2a

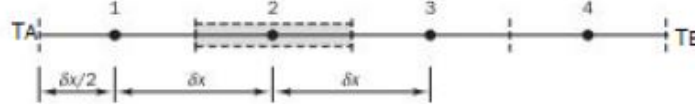


Figure 2b

- (a) 315°C
- (b) 326.67°C
- (c) 350°C
- (d) 367.67°C

**No, the answer is incorrect.****Score: 0****Accepted Answers:***(b) 326.67°C*

3) A numerical scheme is said to be stable if

1 point

- (a) there is no amplification of numerical perturbations due to the propagation of truncation errors
- (b) there is no reduction of numerical perturbations due to the propagation of truncation errors
- (c) there is no amplification of numerical perturbations due to the propagation of roundoff errors
- (d) there is no reduction of numerical perturbations due to the propagation of round-off errors

**No, the answer is incorrect.****Score: 0****Accepted Answers:***(c) there is no amplification of numerical perturbations due to the propagation of roundoff errors*

4) Consistency physically represents

1 point

- (a) Nullification of truncation error as the grid size and time step size tend to zero
- (b) Nullification of round off error as the grid size and time step size tend to zero
- (c) Nullification of discretization error as the grid size and time step size tend to zero
- (d) Nullification of discretization error

**No, the answer is incorrect.****Score: 0****Accepted Answers:***(a) Nullification of truncation error as the grid size and time step size tend to zero*

5)

1 point

While discretizing  $\int_w^e \left\{ (\rho C_p T)^{t+\Delta t} - (\rho C_p T)^t \right\} dx$  the simplest profile assumption is

- (a) Piecewise constant
- (b) Piecewise linear
- (c) Piecewise quadratic
- (d) Profile assumption is not necessary

**No, the answer is incorrect.**

**Score: 0**

**Accepted Answers:**

(a) Piecewise constant

6) Choose the correct statement

1 point

- (a) Convergence means that in the limit as grid size and time size tends to zero, discretization error is nullified.
- (b) Convergence means that in the limit as grid size and time size tends to zero, round off error is nullified.
- (c) According to Lax equivalence theorem, for linear problem consistency and stability ensure convergence
- (d) According to Lax equivalence theorem, for non-linear problems consistency and stability ensures convergence

**No, the answer is incorrect.**

**Score: 0**

**Accepted Answers:**

(c) According to Lax equivalence theorem, for linear problem consistency and stability ensures convergence

7)

1 point

For unsteady state heat conduction problem using finite volume discretization, integral term for temperature T with respect to time t presented as:

$$I_T = \int_t^{t+\Delta t} T_p dt = [\theta T_p + (1-\theta)T_p^0] \Delta t, \text{ temperature superscript 0 used for time t and no}$$

subscript used for time t+Δt, θ is the weighting parameter and 0 ≤ θ ≤ 1. Consider the following statements regarding this discretization.

- (i) For θ=0 and 1, temperature integral transformed as implicit and explicit scheme respectively.
- (ii) For θ=0.5, the scheme is called Crank Nicolson.
- (iii) For θ=0 and 1, temperature integral transformed as explicit and implicit scheme respectively.

Which of the above statements are correct?

- (a) (i) and (ii) only
- (b) (ii) and (iii) only
- (c) (ii) only
- (d) (iii) only

**No, the answer is incorrect.**

**Score: 0**

**Accepted Answers:**

(b) (ii) and (iii) only

8) Consider the following statements regarding the discretization on unsteady state heat conduction problem:

0 points

- (i) Explicit scheme is conditionally stable
- (ii) Fully implicit scheme is unconditionally unstable
- (iii) Crank Nicolson scheme is unconditionally stable

Which of the above statements are correct?

- (a) (i) and (iii) only
- (b) (ii) and (iii) only
- (c) (i) only
- (d) (i), (ii) and (iii)

No, the answer is incorrect.

Score: 0

Accepted Answers:

(d) (i), (ii) and (iii)

9)

1 point

Consider one-dimensional transient heat conduction through a solid. Thermal conductivity of the solid is 10W/mK. Length of the solid is 2 cm and domain is divided to five equal parts for computation. Here  $\rho c = 10 \times 10^6 \text{ J/m}^3/\text{K}$ . For explicit scheme, the maximum size of time step (in second) that can be used is

- (a) 8
- (b) 4
- (c) 2
- (d) 1

No, the answer is incorrect.

Score: 0

Accepted Answers:

(a) 8

10)

1 point

Consider the solution of the following template 1 -D wave equation :  $\frac{\partial u}{\partial t} + c \frac{\partial u}{\partial x} = 0$

Using a modified forward time central space (FTCS) scheme, in which the term  $u_i^n$  for time discretization is expressed as  $u_i^n = \frac{1}{2}(u_{i+1}^n + u_{i-1}^n)$ , where the index 'i' represents spatial discretization where as the superscript 'n' represents temporal discretization. The scheme is stable when

- (a)  $\frac{c\Delta t}{\Delta x} \leq 1$
- (b)  $\frac{c\Delta t}{\Delta x} \leq 2$
- (c)  $\frac{c\Delta t}{(\Delta x)^2} \leq 1$
- (d)  $\frac{c\Delta t}{(\Delta x)^2} \leq 2$

No, the answer is incorrect.

Score: 0

Accepted Answers:

(a)  $\frac{c\Delta t}{\Delta x} \leq 1$

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