

ASSIGNMENT 2

- Q1. Every basic feasible solution of a L.P.P. is an _____ ?
- Q2. Can cones be bounded?
- Q3. In simplex method what is the condition to check if a current basic feasible solution is optimal or not?
- Q4. Suppose the primal has feasible point but the dual has no feasible point . Then what can you conclude about the optimal value of the primal problem?
- Q5. In Newton's method when the matrix $JF(x, y, s)$ is invertible?
- Q6. Algorithm of IP type takes _____ time.
- Q7. Let $u, v \in \mathbb{R}^n$ with $u^t v \geq 0$ then $\|uv\| \leq - - \|u + v\|^2$.
- Q8. What are the values of σ_k for Predictor and Corrector step?
- Q9. Which path following algorithm uses the biggest nbd of points?
- Q10. Can any convex optimization problem be considered as an LP problem?
- Q11. S^n is the set of all real $n \times n$ symmetric matrices .For which value of k $S^n \approx \mathbb{R}^k$?
- Q12. Is the SDP is an LP? Give logic.
- Q13. The dual of an SDP is _____.
- Q14. Does the strong duality held in general between SDP and DSDP?
- Q15. Let $x, z \in S_+^m$, then $\langle x, z \rangle \Rightarrow xz = \text{---}$?
- Q16. Is dual of an IP problem is an IP problem?
- Q17. If \bar{x} is an ε -minimizer of $f(x)$ over \mathbb{R}^n then $0 \in \text{---}$.
- Q18. What is the necessary condition for \bar{x} to be a global minimizer of a DC function $f=g-h$ over \mathbb{R}^n ?
- Q19. Can a non-constant convex function attain its supremum over a closed, convex set c in the interior of C ?
- Q20. Is $N_C^\varepsilon(\bar{x})$ is a cone?