Unit 6 - Week 4

Course outline		
How does an NPTEL online	Assessment 4 The due date for submitting this assignment has passed.	Due on 2020 40 44 22:50 IST
Course work? Week 0	As per our records you have not submitted this assignment.	Due on 2020-10-14, 23:59 IST.
Week 1	 You are given the following Langevin type stochastic differential equation dx(t)-f(x)dt+g(x)dW(t). The corresponding Fokker Planck equation for 	1 point
Week 2	the probability density will take the form: $\partial p(x,t) = \partial r_{0}(x,t) + \partial r_{0}(x$	
Week 3	$ \frac{\partial p(x,t)}{\partial t} - \frac{\partial}{\partial x} [f(x)p(x,t)] + \frac{1}{2} \frac{\partial^2}{\partial x^2} [g(x)^2 p(x,t)] $ $ \frac{\partial p(x,t)}{\partial t} - \frac{\partial}{\partial x} [f(x)p(x,t)] + \frac{\partial^2}{\partial x^2} [g(x)p(x,t)] $	
Week 4	$\frac{\partial \mathbf{r}}{\partial t} = -\frac{\partial}{\partial \mathbf{x}} \left[\mathbf{r}(\mathbf{x}) \mathbf{p}(\mathbf{x}, t) \right] + \frac{\partial}{\partial \mathbf{x}^2} \left[\mathbf{g}(\mathbf{x}) \mathbf{p}(\mathbf{x}, t) \right]$ $\frac{\partial \mathbf{p}(\mathbf{x}, t)}{\partial t} = -\frac{\partial}{\partial \mathbf{x}} \left[\mathbf{f}(\mathbf{x}) \mathbf{p}(\mathbf{x}, t) \right] + \frac{1}{2} \frac{\partial^2}{\partial \mathbf{x}^2} \left[\mathbf{g}(\mathbf{x}) \mathbf{p}(\mathbf{x}, t) \right]$	
Langevin Equation Path Integral (1) Langevin Equation Path	O None of the above $2 \partial x^2 [S(t)]^{2} [S(t)]^{2}$	
Langevin Equation Path Integral (2) Langevin & Fokker Planck	No, the answer is incorrect. Score: 0 Accepted Answers:	
Equation; CLT Example Basic Machinery of Quantum	$\frac{\partial p(x,t)}{\partial t} - \frac{\partial}{\partial x} [f(x)p(x,t)] + \frac{1}{2} \frac{\partial^2}{\partial x^2} [g(x)^2 p(x,t)]$	
Mechanics Ouantum Mechanical Path	Given that $\hat{q} q\rangle = q q\rangle$ and $ q,t\rangle = e^{-i\hat{R}t} q\rangle$, which of the following holds:	1 point
Integral Quiz : Assessment 4	$\bigcirc \hat{q}(t) q\rangle = q q,t\rangle$	
O Solution : Assignment 4	$0 \hat{q}(t) q,t\rangle = q q,t\rangle$ $0 \hat{q}(t) q\rangle = p q,t\rangle$	
Week 5	O None of the above	
Week 6 Week 7	No, the answer is incorrect. Score: 0 Accepted Answers:	
Week 8	$\hat{q}(t) q,t\rangle = q q,t\rangle$	
Week 9	$\int\!dq q angle \langle q $ where the integration is over a complete set of $q-states$ equals:	1 point
Week 10	\hat{I} (the identity operator)	
Week 11	○ 0 ○ ∞	
Week 12	None of the above No, the answer is incorrect.	
Download Videos FFEEDBACK	Score: 0 Accepted Answers: \hat{I} (the identity operator)	
TTEEDBACK		1 point
	The probability of a quantum system in state $ a' t'$ to move to state	
	$ q'',t''\rangle$ The transition amplitude of a quantum system in state $ q',t'\rangle$ to move to state	
	$ q",t"\rangle$	
	The transition amplitude of a quantum system in state $ q'',t''\rangle$ to move to state $ q',t'\rangle$	
	O None of the above No, the answer is incorrect.	
	Score: 0 Accepted Answers: The transition amplitude of a quantum system in state $ q'', t''\rangle$ to move to state	
	$ q',t'\rangle$	
	5) The Lagrangian of a particle moving in a potential $V(q)$ is given by:	1 point
	$ L(q,\dot{q}) = \frac{1}{2}m\dot{q}^2 + V(q) $	
	$ L(q,\dot{q}) = \frac{1}{2}m\dot{q}^2 $	
	$ L(q,\dot{q}) = \frac{1}{2}m\dot{q}^2 - V(q) $	
	None of the above No, the answer is incorrect.	
	Score: 0 Accepted Answers:	
	$L(q,\dot{q}) = \frac{1}{2}m\dot{q}^2 - V(q)$	
	You are given that $\left p_{i}\right\rangle$ is an eigenstate of the momentum operator \hat{p} for a	1 point
	single non-relativistic free particle with the Hamiltonian $\hat{H} = \frac{\hat{p}^2}{2m}$. The	
	expression $\langle p_i \hat{H}(\hat{p}, \hat{q}) q_i \rangle$ evaluates to (Use the inner product $\langle q p \rangle = e^{ipq/\hbar}$):	
	$\bigcirc \exp\left(-\frac{i}{\hbar}p_iq_i\right)$	
	$ \frac{p_i^2}{2m} \exp(p_i q_i) $	
	$\frac{2m}{2m} \exp(p_i q_i)$ $\frac{p_i^2}{}$	
	$ \frac{p_i^2}{2m} \exp\left(-\frac{i}{\hbar} p_i q_i\right) $	
	$2m$ $h^{P(q_1)}$ No, the answer is incorrect.	
	Score: 0 Accepted Answers:	
	$\frac{p_i^2}{2m} \exp\left(-\frac{i}{\hbar} p_i q_i\right)$	
	$\int \frac{e^{ikx}}{a^2 - x^2} \delta(x) dx \text{ evaluates to:}$	1 point
	$\int a^2 - x^2$	
	0 e^{ika}	
	O None of the above	
	No, the answer is incorrect. Score: 0 Accepted Answers:	
	None of the above	
	The Lagrangian of a harmonic oscillator is: $L = \frac{1}{2}m\dot{q}^2 - \frac{1}{2}kq^2$. The corresponding Euler Lagarnge equation is:	1 point
	$m\dot{q} - kq = 0$	
	$ m\ddot{q} + kq = 0 $ $ m\ddot{q} - kq = 0 $	
	O None of the above	
	No, the answer is incorrect. Score: 0 Accepted Answers:	
	$m\ddot{q} + kq = 0$	
	$\int_{-\infty}^{+\infty} \left(4x^2 - 1\right) \delta'(x - 3) dx \text{ is equal to:}$	1 point
	○-24 ○3	
	O 12 O None of the above	
	No, the answer is incorrect. Score: 0	
	Accepted Answers: -24	
	The probability density function of a Gaussian distribution is $n(x) = \frac{1}{x^2} e^{-\frac{1}{2}x^2}$	1 point
	The probability density function of a Gaussian distribution is $p(x) = \frac{1}{\sqrt{2\pi}}e^{-\frac{1}{2}x^2}$. Its characteristic function is:	
	$\bigcirc C_X(t) = \frac{1}{2}t^2$	
	$C_X(t) = e^{\frac{1}{2}t^2}$ $C_X(t) = e^{-\frac{1}{2}t^2}$	
	$C_X(t) = e^{-\frac{\pi}{2}}$	

None of the above

No, the answer is incorrect. Score: 0

Accepted Answers: $C_X(t) = e^{-\frac{1}{2}t^2}$