

X

NPTEL

reviewer3@nptel.iitm.ac.in ▼

Courses » Information Theory, Coding and Cryptography

Announcements Course Ask a Question Progress Mentor FAQ

Unit 8 - Week 7

Course outline

How to access the portal

Week 1

Week 2

Week 3

Week 4

Week 5

Week 6

Week 7

 Introduction to Cyclic Codes Generator Polynomial, Syndrome Polynomial and Matrix Representation Fire code, Golay Code, CRC Codes and Circuit Implementation of Cyclic Codes Quiz : Assignment 7

Week 8

Week 9

Assignment 7

The due date for submitting this assignment has passed. **Due on 2018-09-19, 23:59 IST.**
As per our records you have not submitted this assignment.

1) The degree of the generator polynomial $g(x)$ is 1 point $n - k + 1$ $n + k + 1$ $n - k - 1$ $n - k$ **No, the answer is incorrect.****Score: 0****Accepted Answers:** $n - k$ 2) Upon dividing $x^{12} + x^7 + x^4 + x^3 + 1$ by $x^3 + x^2 + 1$ over $GF(2)$ we get the quotient and remainder as 1 point quotient = $x^9 + x^8 + x^7 + x^5 + x^4 + x^3$ and remainder = 1 quotient = $x^9 + x^7 + x^5 + x^4 + x^2$ and remainder = 0 quotient = $x^9 + x^8 + x^4 + x^3$ and remainder = 1 quotient = $x^9 + x^8 + x^7 + x^6 + x^5 + x$ and remainder = 0**No, the answer is incorrect.****Score: 0****Accepted Answers:** $quotient = x^9 + x^8 + x^7 + x^5 + x^4 + x^3$ and remainder = 13) The factors of $x^8 - 1$ over $GF(3)$ are 1 point $(x + 1)(x^2 + 1)(x^2 + x + 2)(x^2 + 2x + 1)$ $(x + 1)(x + 2)(x^2 + 1)(x^2 + x + 2)(x^2 + 2x + 2)$ $(x + 1)(x + 2)(x^2 + 1)(x^2 + x + 1)(x^2 + x + 1)$ $(x + 1)(x + 2)(x^2 + 2)(x^2 + x + 1)(x^2 + 2x + 2)$

© 2014 NPTEL - Privacy & Terms - Honor Code - FAQs -



A project of



NPTEL

National Programme on
Technology Enhanced Learning

In association with

NASSCOM®

Funded by

Lectures

ce Dev

- $g(x) = (1+x)(1+x+x^4)$
- $g(x) = (1+x)(1+x+x^2+x^3+x^4)$
- $g(x) = (1+x)(1+x^3+x^4)$
- All of the above

No, the answer is incorrect.**Score: 0****Accepted Answers:***All of the above*

5) Consider a binary cyclic code with block length $n = 15$ and the generator polynomial $g(x) = x^8 + x^7 + x^6 + x^4 + 1$. The parity check polynomial for this is **1 point**

- $h(x) = x^7 + x^6 + x^4 + 1$
- $h(x) = x^7 + x^5 + x^3 + 1$
- $h(x) = x^7 + x^6 + x^2 + 1$
- $h(x) = x^7 + x^6 + 1$

No, the answer is incorrect.**Score: 0****Accepted Answers:** *$h(x) = x^7 + x^6 + x^4 + 1$*

6) The cyclic code given by $g(x) = x^{14} + x^{11} + x^9 + x^5 + x^2 + 1$ is capable of correcting a burst error of up to a length of **1 point**

- 5
- 6
- 7
- 8

No, the answer is incorrect.**Score: 0****Accepted Answers:**

5

7) The generator polynomial for the Fire code with parameters (35, 27) is **1 point**

- $g(x) = x^8 + x^7 + x^5 + x^2 + x + 1$
- $g(x) = x^8 + x^6 + x^4 + x^3 + x + 1$
- $g(x) = x^7 + x^6 + x^5 + x^2 + x + 1$
- $g(x) = x^8 + x^6 + x^5 + x^3 + x + 1$

No, the answer is incorrect.**Score: 0****Accepted Answers:** *$g(x) = x^8 + x^6 + x^5 + x^3 + x + 1$*

8) Consider a CRC code with the generator polynomial $g(x) = x^{16} + x^{15} + x^2 + 1$. Which statement is true: **1 point**

- $(x + 1)$ is a factor of the generator polynomial
- $(x^{15} + x + 1)$ is a factor of the generator polynomial
- It can detect all odd number of errors
- All of the above

No, the answer is incorrect.

Score: 0

Accepted Answers:

All of the above

9) If $g(x)$ has a factor $(x + 1)$ then

1 point

- All code words have even parity
- We can detect all errors consisting of odd number of bits
- No code word has odd weight
- All of the above

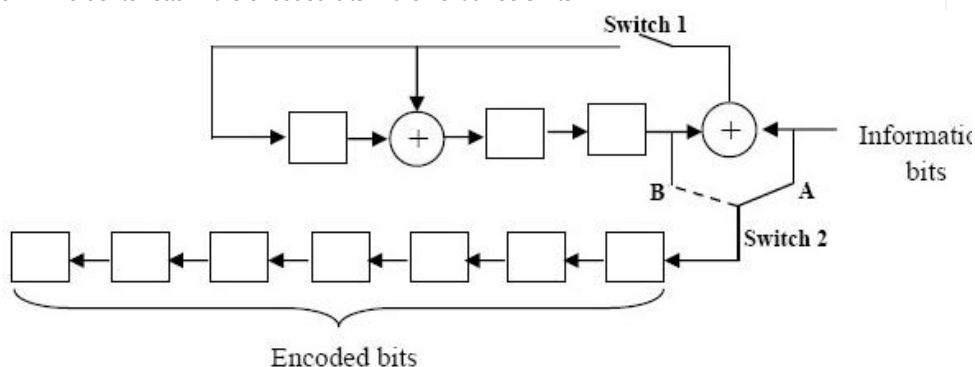
No, the answer is incorrect.

Score: 0

Accepted Answers:

All of the above

10) Determine the generator polynomial for the circuit shown below. The encoding is done in two **1 point** steps. **Step 1:** Switch 1 is in open position and we connect Switch 2 to 'A' in order to read in the information bits during the 1st four shifts. In **step 2**, Switch 1 is in closed position and we connect Switch 2 to 'B' in order to read in the encoded bits in the next three shifts.



- $g(x) = x^3 + x^2 + 1$
- $g(x) = x^2 + x + 1$
- $g(x) = x^3 + x + 1$
- $g(x) = x^3 + x^2 + x + 1$

No, the answer is incorrect.

Score: 0

Accepted Answers:

$g(x) = x^3 + x + 1$

Previous Page

End

