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| Correction |
| Erasure and Errors, |
| Standard Array and |
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| - Probability of Error, |
| Coding Gain and |
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## Assignment 6

The due date for submitting this assignment has passed.
Due on 2018-09-12, 23:59 IST.
As per our records you have not submitted this assignment.

1) Two $k x n$ matrices generate equivalent linear $(n, k)$ codes over $G F(q)$ if one matrix can be obtained from the other by 1 point

Permutation of rows
Addition of a scalar multiple of one row to another

- Permutation of columns

OAll of the above
No, the answer is incorrect.
Score: 0
Accepted Answers:
All of the above
2) A generator matrix can be reduced to its Systematic Form of the type $G=[I \mid P]$ where
$\boldsymbol{I}$ is a $k \times k$ identity matrix and $\boldsymbol{P}$ is a $k \times k$ matrix$I$ is a $k \times k$ identity matrix and $\boldsymbol{P}$ is a $k \times(n-k)$ matrix
$\boldsymbol{I}$ is a $n \times k$ identity matrix and $\boldsymbol{P}$ is a $k \times(n-k)$ matrix
$I$ is a $n \times n$ identity matrix and $P$ is a $n \times(n-k)$ matrix
No, the answer is incorrect.
Score: 0
Accepted Answers:
$I$ is a $k \times k$ identity matrix and $P$ is a $k \times(n-k)$ matrix
3)

Consider a (7, 4) code with $\boldsymbol{G}=\left[\begin{array}{lllllll}1 & 1 & 0 & 1 & 0 & 0 & 0 \\ 0 & 1 & 1 & 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 1 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 & 1 & 0 & 1\end{array}\right]$. Choose the option which does not list a valid co
0001101
0110100

- 1110000

1111111
No, the answer is incorrect
Score: 0
Accepted Answers:
1110000
4) Consider the $(23,12,7)$ binary code. If it is used over a binary symmetric channel (BSC) with probability of bit error $p \mathbf{1}$ point $=0.01$, the word error will be approximately


Accepted Answers:
0.00008
5) Consider a linear block code over GF(11) with blocklength $n=10$, satisfying the following two constraints

The minimum distance of this code is
$\bigcirc 0$
-1
O 2
-3
No, the answer is incorrect.
Score: 0
Accepted Answers:
1
6) Let C be a binary perfect code of block length n with minimum distance 7. A possible value of n can be

No, the answer is incorrect.
Score: 0
Accepted Answers
23
${ }^{\text {7) }}$ Let $r_{H}$ denote the code rate for the binary Hamming code. The $\lim _{k \rightarrow \infty} r_{H}$ is given by

- 0.5
- 1.0
-Infinity
No, the answer is incorrect.
Score: 0
Accepted Answers:
1.0

8) The next-generation spacecraft to Mars, Mangalyan $X$,would be sending color photographs over a binary symmetric 1 point satellite channel that has a reliability of 0.999 and is subject to randomly scattered noise. The spacecraft creates photographs using pixels of 128 different colors. Thus each color is a codeword. The space mission would like the probability of a pixel in the received image being assigned an incorrect color to be less than 0.0001 . The parameters ( $\mathrm{n}, \mathrm{k}, \mathrm{d}^{\star}$ ) of the most efficient linear code that could be used by the spacecraft would be$(15,7,3)$(11, 7, 3)$(31,11,5)$$(15,11,5)$
No, the answer is incorrect.
Score: 0
Accepted Answers:
(11, 7, 3)
9) The next-generation spacecraft to Mars, Mangalyan $X$,would be sending color photographs over a binary symmetric 1 point satellite channel that has a reliability of 0.999 and is subject to randomly scattered noise. The spacecraft creates photographs using pixels of 128 different colors. Thus each color is a codeword. The space mission would like the probability of a pixel in the received image being assigned an incorrect color to be less than 0.0001 . The parameters ( $n, k, d^{*}$ ) of the most efficient linear code that could be used by the spacecraft would be$(15,7,3)$$(11,7,3)$(31,11, 5)$(15,11,5)$

No, the answer is incorrect.
Score: 0
Accepted Answers:
(11, 7, 3)
10) The generator matrix, $\boldsymbol{G}_{2}=\left[\begin{array}{cc}x_{1} & x_{2} \\ -x_{2} & x_{1}\end{array}\right]$, corresponds toreal orthogonal design

- generalized real orthogonal design
complex orthogonal design
generalized complex orthogonal design
No, the answer is incorrect.
Score: 0
Accepted Answers:
real orthogonal design

11) The code matrix of the Alamouti scheme is given by

$$
\begin{aligned}
\boldsymbol{X} & =\left[\begin{array}{cc}
x_{1} & x_{2} \\
-x_{2}^{*} & x_{1}^{*}
\end{array}\right] \\
\boldsymbol{X} & =\left[\begin{array}{cc}
x_{1} & x_{2} \\
-x_{2} & x_{1}
\end{array}\right] \\
\boldsymbol{X} & =\left[\begin{array}{cc}
x_{1} & x_{2} \\
x_{2}^{*} & x_{1}^{*}
\end{array}\right] \\
\boldsymbol{X} & =\left[\begin{array}{cc}
x_{1} & -x_{2} \\
-x_{2}^{*} & x_{1}^{*}
\end{array}\right]
\end{aligned}
$$

No, the answer is incorrect. Score: 0

Accepted Answers:
$\boldsymbol{X}=\left[\begin{array}{cc}x_{1} & x_{2} \\ -x_{2}^{*} & x_{1}^{*}\end{array}\right]$

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