

## Unit 13 - Week 11: Interconnection Networks Algorithms

Register for Certification exam	Assessment 11
Course outline	The due date for submitting this assignment has passed. As per our records you have not submitted this assignment.
How to access the portal	1) An instance of routing on a an $r$ -dimensional wrapped butterfly can <b>1</b> point be solved in steps, if every message/packet has a unique source and a unique destination
Week 01: Models of Computation	
Week 02: Performance of parallel algorithms,Basic techniques	$\Theta(r) \\ \Theta(2^r) \\ \Theta(2^r)$
Week 03: Basic Techniques	$\Theta(r^2)$ $\Theta(r.2^r)$
Week 04: Comparator Networks; List Colouring	No, the answer is incorrect. Score: 0 Accepted Answers:
Week 05: An Optimal List Ranking algorithm	$\Theta(r)$ 2) In a 5-D shuffle-exchange graph the shuffle neighbors of vertex 13 are <b>1</b> point
Week 06: Applications of Optimal List Ranking algorithm, Expression Tree Evaluation, Merging and	<ul> <li>11 and 14</li> <li>12 and 26</li> <li>12 and 24</li> <li>22 and 26</li> </ul>
Cole's Merge Sort	Accepted Answers:

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## Parallel Algorithms - - Unit 13 - Week 11: Interc...

Connected Components, Vertex Colouring and Interconnection Networks Algorithms	Ce De 0 1 Cannot say for certain No, the answer is incorrect. Score: 0	
Week 09: Interconnection Networks	Accepted Answers:	ß
Interaction Session	4) In the embedding of a 5-D SEG onto the complex plane, the number of degenerate necklaces is	1 point
Week 10: Interconnection Networks		
Algorithms Week 11: Interconnection Networks Algorithms	<ul> <li>6</li> <li>No, the answer is incorrect.</li> <li>Score: 0</li> <li>Accepted Answers:</li> <li>2</li> </ul>	-
<ul> <li>Lecture 1: Butterfly, CCC and Benes Networks</li> </ul>	5) In the embedding of a 5-D SEG onto the complex plane, the number of full necklaces is	1 point
Lecture 2: Shuffle Exchange Graphs, de Bruijn Graphs	2 30 1 6	
Lecture 3: SEG, dBG (cont'd)	No, the answer is incorrect. Score: 0	
Quiz : Assessment 11	Accepted Answers: 6	
Week 12: Parallel Complexity Theory	$^{6)}$ For $r\geq 2$ , if the exchange edges of an $(r+1)$ -D SEG are contracted, then we get a	1 point
	<i>r</i> -D SEG	
	r-D dBG (r - 1)-D SEG (r - 1)-D dBG No, the answer is incorrect. Score: 0 Accepted Answers: r-D dBC	
	7) For $r\geq 2$ , the line graph of an $r$ -D dBG is	1 point

r-D SEG	
<i>r</i> -D dBG	
(r+1)-D SEG	
(r + 1)-D dBG	
No the answer is incorrect	
Score: 0	
Accepted Answers: $(r+1)$ -D dBG	
8) A hyper-cube algorithm in which every step uses a single dimension has <b>1</b> point the following dimension-sequence: 1-2-3-4-3-2-1-2-3-4-3-2-1-2-3-4-3-2-1. It is a normal algorithm on	
a 4-D hypercube, but not on a 5-D hypercube	
a 5-D hypercube, but not on a 4-D hypercube	
both a 4-D hypercube and a 5-D hypercube	
neither a 4-D hypercube, nor a 5-D hypercube	
No, the answer is incorrect. Score: 0	
Accepted Answers: both a 4-D hypercube and a 5-D hypercube	
9) An $r$ -D SEG can simulate a step of a normal algorithm designed for <b>1</b> point an $r$ -D hyper-cube in time.	
$\Theta(r)$	
$\Theta(1)$	
$\Theta(\log r)$	
$\Theta(2^r)$	
No, the answer is incorrect.	
Accepted Answers:	
$\Theta(1)$	
10)Which of the following is known to be true?1 point	
P is a subset of NC	
NC is a subset of NP	
NP is a subset of NC	
P is a subset of P	
No, the answer is incorrect. Score: 0	
Accepted Answers: NC is a subset of NP	
	• r-D SEG         • r-D dBG         • (r + 1)-D SEG         • (r + 1)-D dBG         • Accepted Answers:         (r + 1)-D dBG         • a 4-D hypercube algorithm in which every step uses a single dimension has <i>t</i> point the following dimension-sequence: 1-2-3-4-3-2-1-2-3-4-3-2-1-2-3-4-3-2-1. It is a normal algorithm on         • a 4-D hypercube, but not on a 5-D hypercube         • both a 4-D hypercube and a 5-D hypercube         • both a 4-D hypercube and a 5-D hypercube         • both a 4-D hypercube and a 5-D hypercube         • nr-D SEG can simulate a step of a normal algorithm designed for

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