Course outline

Week 0:Prerequisite

Week 1: Introduction to Randomized Algorithms

Week 2: Probability Review

Week4: Probabilistic Method

Week3: Moments and

Week 5: Markov Chains

Week 6: Markov Chains-II

Week 7: Number Theoretic

Week 8: Graph Theoretic

Week 9 : Approximate

Data Structures

Complexity

proofs - II

proofs - III

week 11

Week 12 : Summary

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LFKN Protocol

Week 10: Randomization and

Week 11 : Computational

Probabilistically checkable

Probabilistically checkable

Probabilistically checkable

Ouiz: Assignment 11

Weekly feedback form for

Deviations

Algorithms

Algorithms

Counting

course work?

How does an NPTEL online



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## NPTEL » Randomized Algorithms Announcements

## Unit 13 - Week 11: Computational Complexity

Accepted Answers:

 $2^n + 2^{n^2}$ 

The due date for submitting this assignment has passed.  As per our records you have not submitted this assignment.	Due on 2020-04-15, 23:59	IST.
Which of the following bit strings are Walsh-Hadamard (WH) codewords?		1 poin
00001111		
11111111		
01011011		
O 01011010		
No, the answer is incorrect. Score: 0		
Accepted Answers: 01011010		
2) The number of WH codewords of length 256 is?		1 point
○ 8 ○ 3		
2 <sup>256</sup> 256		
No, the answer is incorrect.		
Score: 0 Accepted Answers:		
256		
3) The WH encoding of the string 110 is		1 point
11110000		
O 10101110		
11000011		
00111100		
No, the answer is incorrect. Score: 0 Accepted Answers:		
00111100		
<ol> <li>Let x and y be two distinct strings of length n. Let d be the number of bit positions where the WH encodings of of d is</li> </ol>	x and y differs. The minimum value	1 point
O1		
○ n		
$2^n$		
$2^{n-1}$		
No, the answer is incorrect. Score: 0		
Accepted Answers:  2 <sup>n-1</sup>		
5) Let $\pi$ be a PCP proof, consisting of the Walsh-Hadamard encoding of a satisfying assignment $u$ and the Walsh-set of satisfiable quadratic equation on $n$ variables. The length of $\pi$ is	Hadamard encoding of $u \otimes u$ , of a	1 point
poly(n)		
$2^{n^2}$		
$\binom{\circ}{2^n}$		
$2^n + 2^{n^2}$		
No, the answer is incorrect. Score: 0		