## Exercise 01

A conducting circle having a radius $R_{0}$ at time $t=0$ is in a constant magnetic field $B$ perpendicular to its plane. The circle expands with time with its radius becoming $R=R_{0}\left(1+\alpha t^{2}\right)$ at time $t$. Calculate the emf developed in the circle.
(Ans. $-4 \pi R_{0}^{2} \alpha t\left(1+\alpha t^{2}\right) B$ )

## Exercise 1

The figure shows two coplanar and concentric rings of radii $R_{1}$ and $R_{2}$ where $R_{1} \gg R_{2}$. Determine the mutual inductance of the coils. Solve the problem by considering the current to be changing in either of the coils.

(Ans. $\mu_{0} \pi R_{2}^{2} / 2 R_{1}$ ).

## Exercise 2

A toroidal coil of rectangular cross section, with height $h$ has $N$ tightly wound turns. The inner radius of the torus is $a$ and the outer radius $b$. A long wire passes along the axis.


The ends of the wire are connected by a semi-circular arc. Find the mutual inductance. Show explicitly that $M_{21}=M_{12}$.
(Hint : When the current flows in the turns of toroid, the field at a distance $r$ from the toroid axis is $\mu_{0} N I / 2 \pi r$. The semicircular area traps flux only in one rectangular turn of height $h$ and width $b-a$. Answer : $\left.\mu_{0} N h / 2 \pi \ln (b / a).\right)$

