Introduction to Aerospace Propulsion

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Lecture No - 36

CONTRACTOR

ROFING

Rockets, Missiles, and Spacecrafts

INTRODUCTION TO AEROSPACE PROPULSION

- Chinese used rockets in the 12th century AD against the Mongol attacks.
- In India Tipu Sultan used rockets against the British army in the 18th century.
- The modern rocket scientists, : Contantin Tsiolkovosky of Russia, Hans Oberth and Fritz Opel of Germany, and Robert Goddard and Werner Von Braun of USA.
- They and many others help develop the fundamental scientific principles of rockets, including multi-stage rockets, for launching satellites and space vehicles.

- The operation of a rocket is not dependent on atmosphere or forward speed.
- This is an advantage as the rocket is the method of propelling vehicles beyond earth's atmosphere.
- And a disadvantage, as both the fuel and the oxidizer must be carried in the body of the rocket.
- The basic rocket devise is a thermal rocket motor, which is a heat engine.
- It converts chemical energy into heat by burning of propellant and oxidizer
- The heat creates high energy of the burnt gases which is accelerated through a shaped nozzle.
- The large momentum of the exhaust gas creates the reaction force, by <u>Newton's laws of motion</u>, and acts as **Thrust** for propelling it forward.

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Indian Satellite Launch Vehicles

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PSLV launch from Sriharikota Launch base

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Proton Rocket -Russia



Apollo Spacecraft for Moon mission – USA (Saturn Rocket)



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Space Shuttle Columbia launch



Types of missiles

Conventional guided missiles (targetted)

- Air-to-air missile
- Air-to-surface missile
- Anti-ballistic missile
- Anti-satellite weapon
- Anti-ship missile
- Land-attack missile
- Anti-tank guided missile
- Surface-to-air missile (list)
- Surface-to-surface missile
- Wire-guided missile

Types of missiles

Cruise missiles (has a long cruise flight)

Ballistic missiles (Aim and Shoot) Tactical ballistic missile Short-range ballistic missile **Theatre Ballistic Missiles** Medium-range ballistic missile Intermediate-range ballistic missile Intercontinental ballistic missile Submarine-launched ballistic missile Air-launched ballistic missile



Pressure distributions contributing to thrust



Net thrust created, $F_{net} = \int p.dA$

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As <u>heat engine</u> the rocket works the same way as the other heat engines do. However, since it does not use the atmospheric air <u>it does not complete a cycle.</u>



Heat engine as a (a) Jet Engines, (b) Rocket

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- There are two basic kinds of fuel and oxidizer used in rocket engines.
- One in which the fuel and the oxidizer are both <u>liquid</u> and are separately pumped into the rocket motor combustion chamber.
- In the other variety the fuel and the oxidizer are both <u>solids</u>, often in mixtures, are already positioned inside the combustion chamber in suitable shapes and sizes.
- In both the cases the burnt mixture of gases is released through nozzles for thrust creation.

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Schematic of Liquid and Solid Propellant Rocket Engines



Basic Rocket Science : <u>Thrust generation</u>

An equation for rocket thrust is obtained from simple momentum analysis. If the mass of the rocket at time t + dt is m and dm is expended in time dt, accompanied by a velocity change dV, then <u>conservation of momentum</u> requires that

$$(m+dm)V = m(V+dV) + dm(V-V_{e-\max})$$

Where, $V_{e\text{-max}}$ is the velocity of the exhaust gas relative to the rocket after full expansion to the atmosphere

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From which, we can derive that

$$0 = m \, dV - V_{e-\max} dm$$

differentiating with respect to time

$$\frac{mdv}{dt} = V_{e-\max} \frac{dm}{dt}$$

mdv

- is the propulsive force or thrust, F_i and dt
- dm is the mass flux of fuel and oxidizer together, dt

Hence the jet thrust may be written as :

$$F_{j} = V_{e-\max} \frac{dm}{dt}$$

- The exhaust velocity $V_{e-\max}$ depends on the design of the exhaust nozzle and on the local ambient conditions of flight.
- •In a well designed convergent-divergent nozzle, the exhaust velocity is known approx. for flights within the atmosphere.

•The value of γ is determined by the internal temperature and chemical composition of the exhaust, and is normally less than the value for ordinary air.

$$V_{e} = \sqrt{2 \cdot c_{p} \cdot (T_{occ} - T_{e})} = \sqrt{\frac{2 \cdot \gamma \cdot (T_{occ} - T_{e})}{\gamma - 1}}$$

$$= \sqrt{\frac{2 \cdot \gamma \cdot T_{cc} \cdot (1 - T_{e} / T_{occ})}{\gamma - 1}}$$
The ideal exhaust velocity is obtained -

$$= \sqrt{\frac{2 \cdot \gamma \cdot T_{occ} \cdot (1 - (P_{a} / P_{occ}))^{\frac{\gamma - 1}{\gamma}}}{\gamma - 1}}$$

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$$= \sqrt{\frac{2 \cdot \gamma \cdot T_$$

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The Thrust Specific Fuel (Propellant) $\frac{g \cdot \dot{m}}{F} = \frac{g}{V_{ex}}$ Consumption (TSFC) of a rocket is : F

The <u>reciprocal of Thrust per unit fuel weight</u> and is used as a <u>measure of propulsive efficiency</u>, and is called **specific impulse**.

Specific impulse =
$$I_{sp} = \frac{T_{j}}{g.\dot{m}}$$

• The specific impulse values at sea level and at altitude are not the same (for same propellant and nozzle), in terms of the measured thrust.

----- To be continued