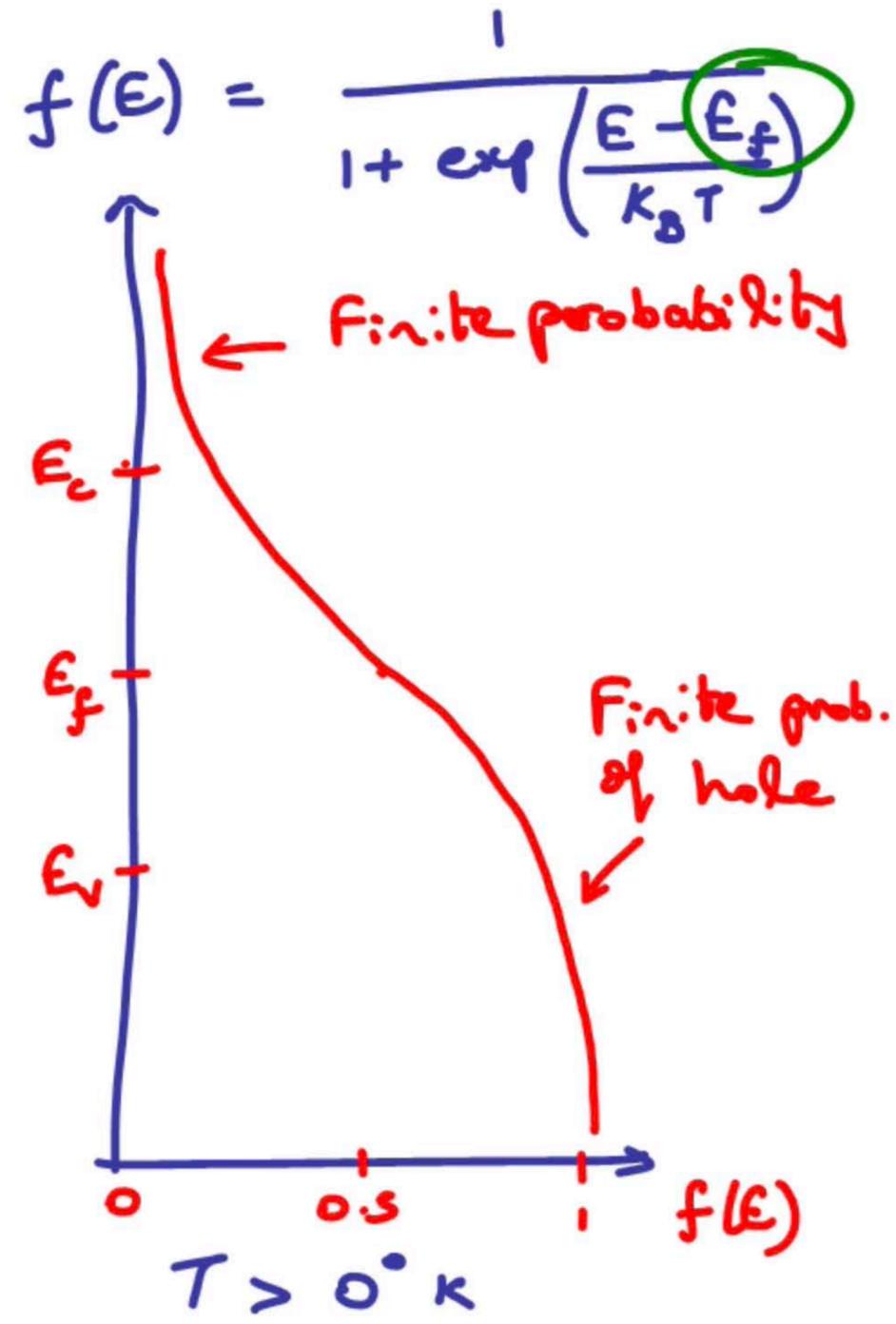
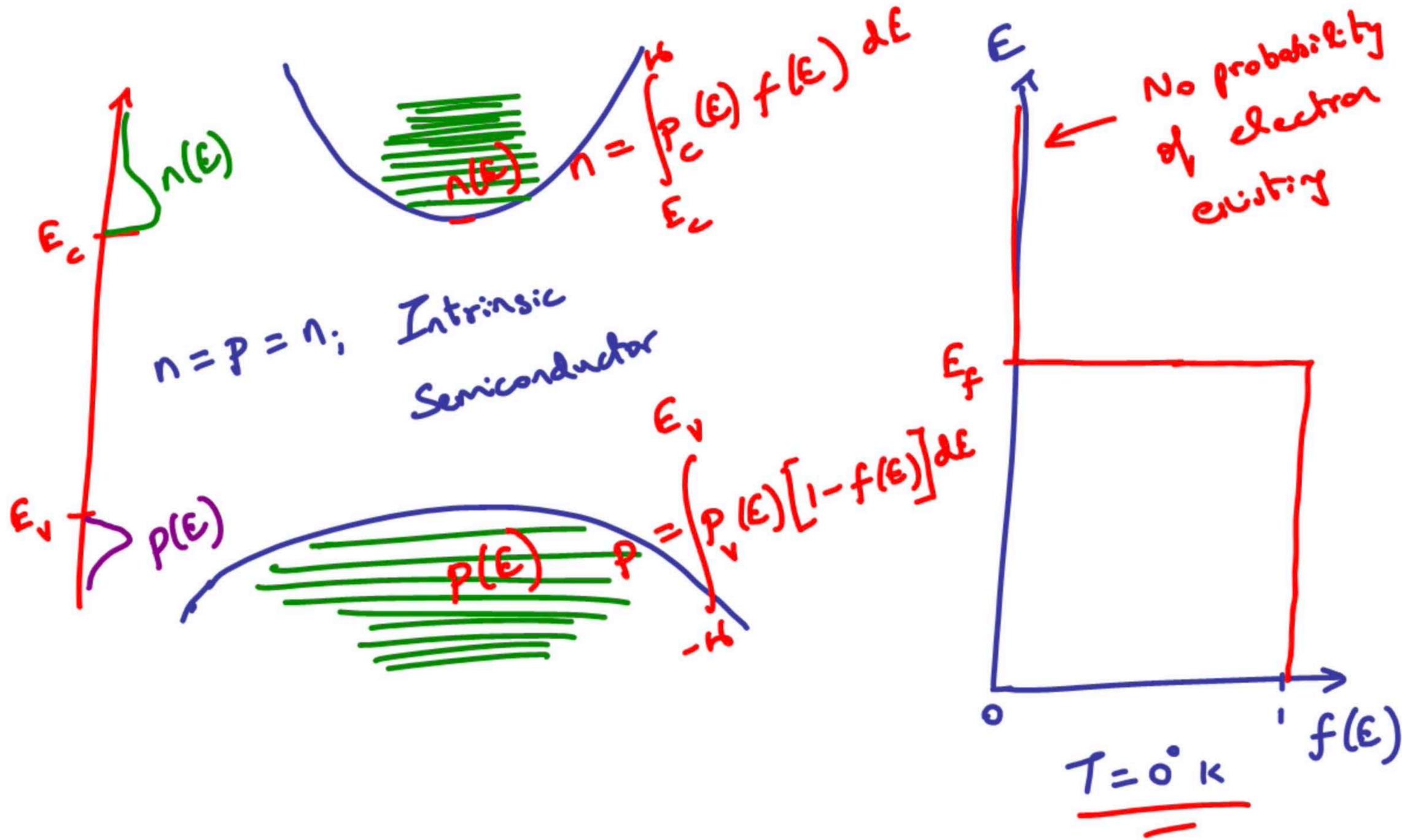


Density of states in
 valence & conduction bands
 is higher as we
 move away from
 bandgap

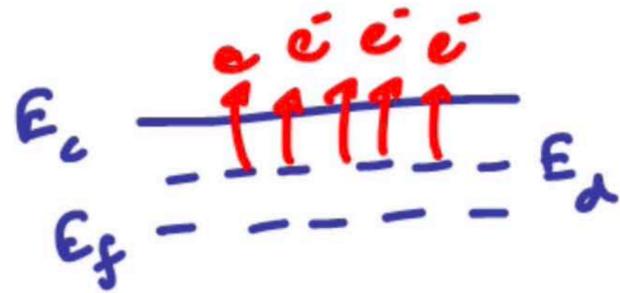
Probability of occupancy (electron) \rightarrow

Fermi-Dirac distribution



Extrinsic Semiconductors (doped)

n-type (Si doped w/ P has)



$n(E)$

Excess electrons



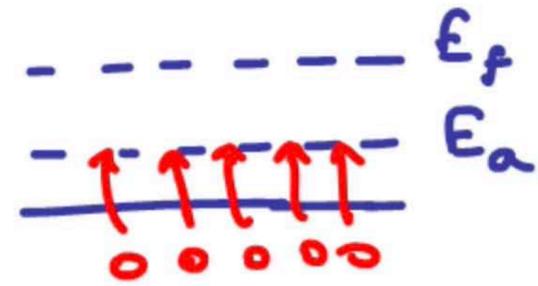
$p(E)$

p-type (Si doped with Al)

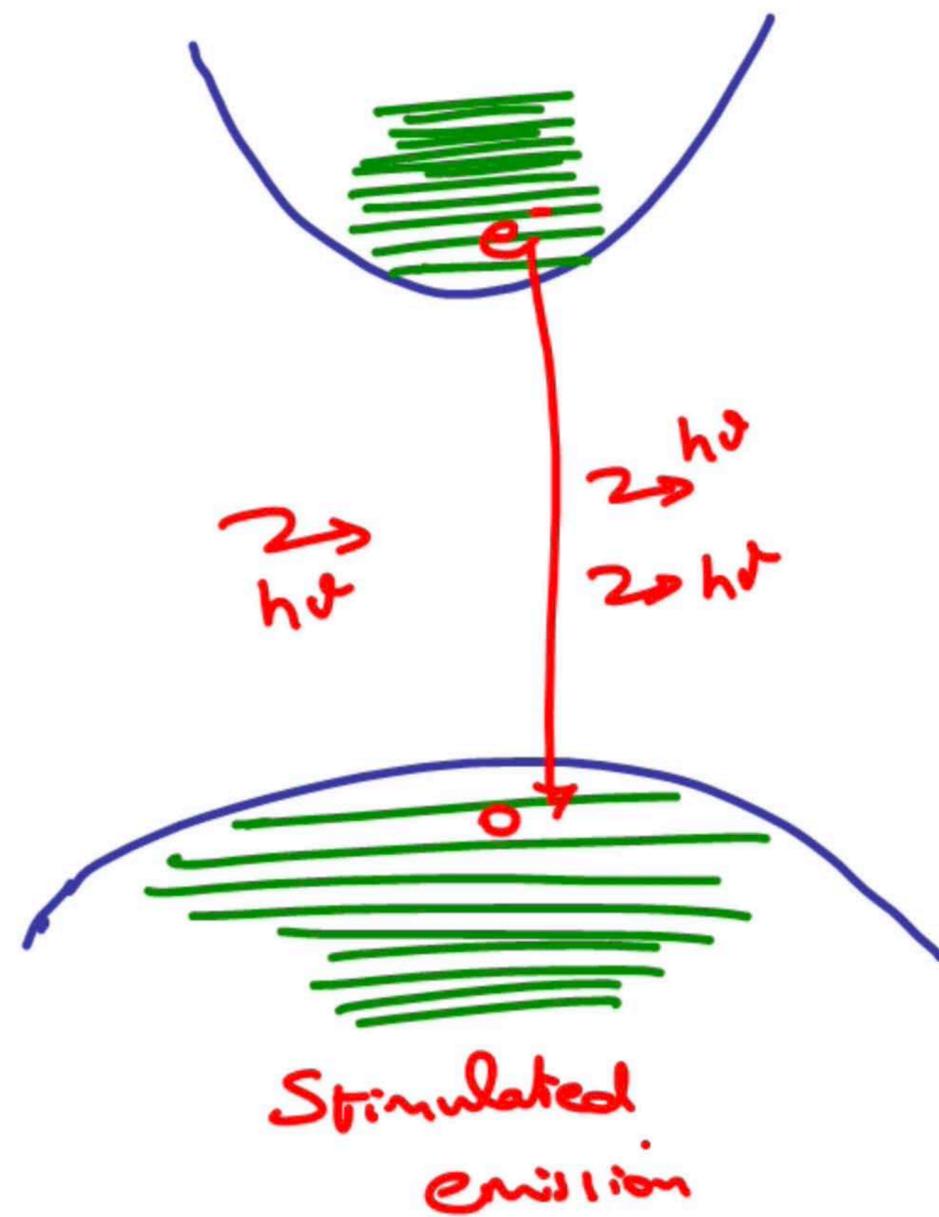
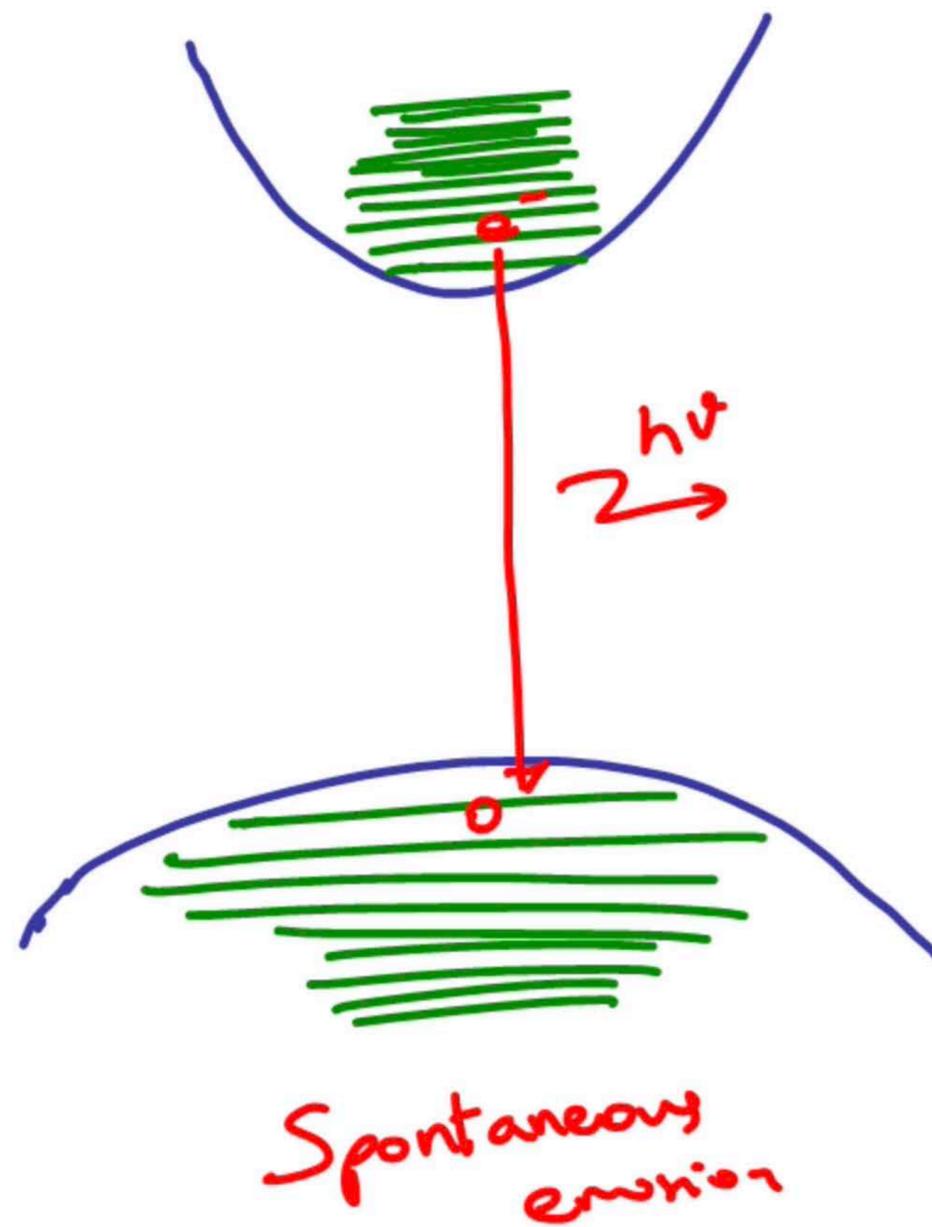
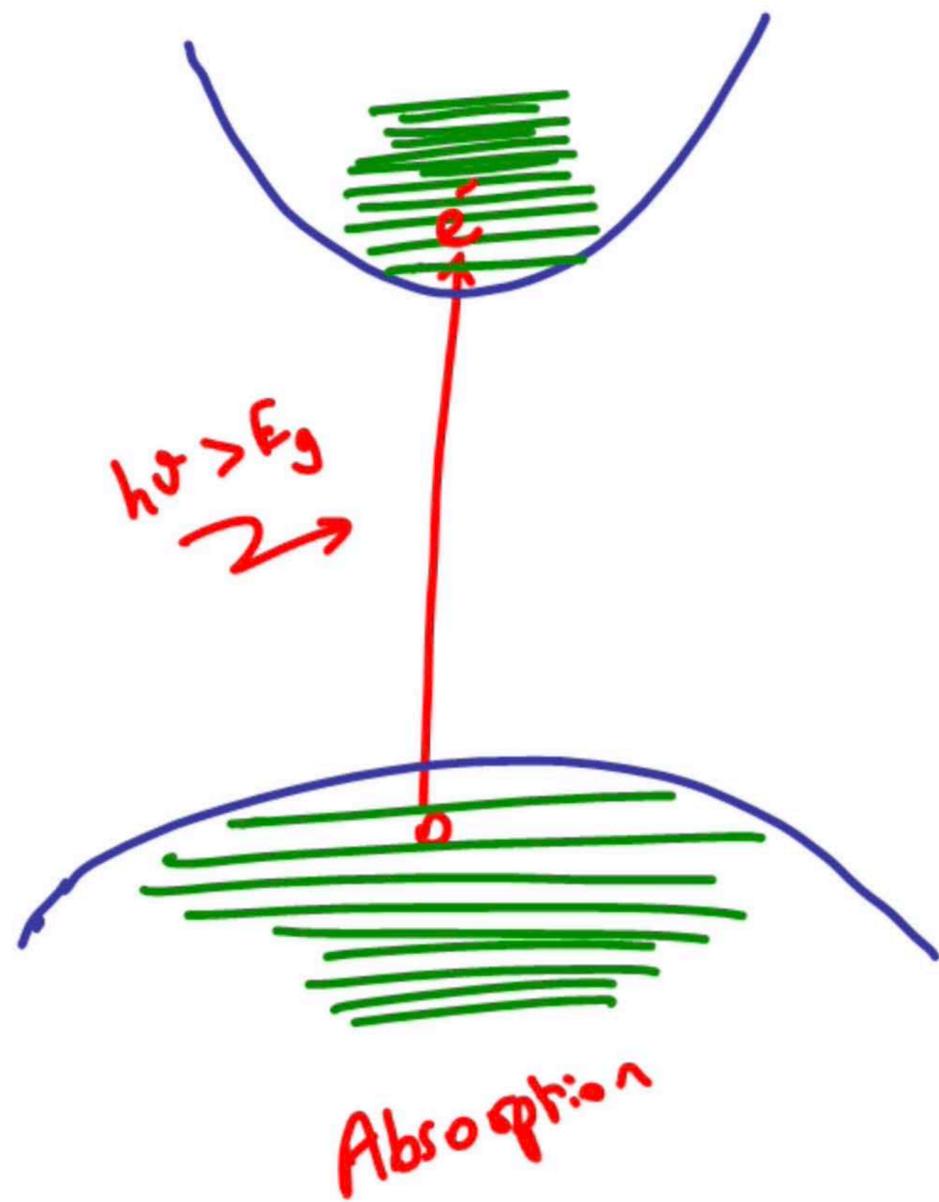


$n(E)$

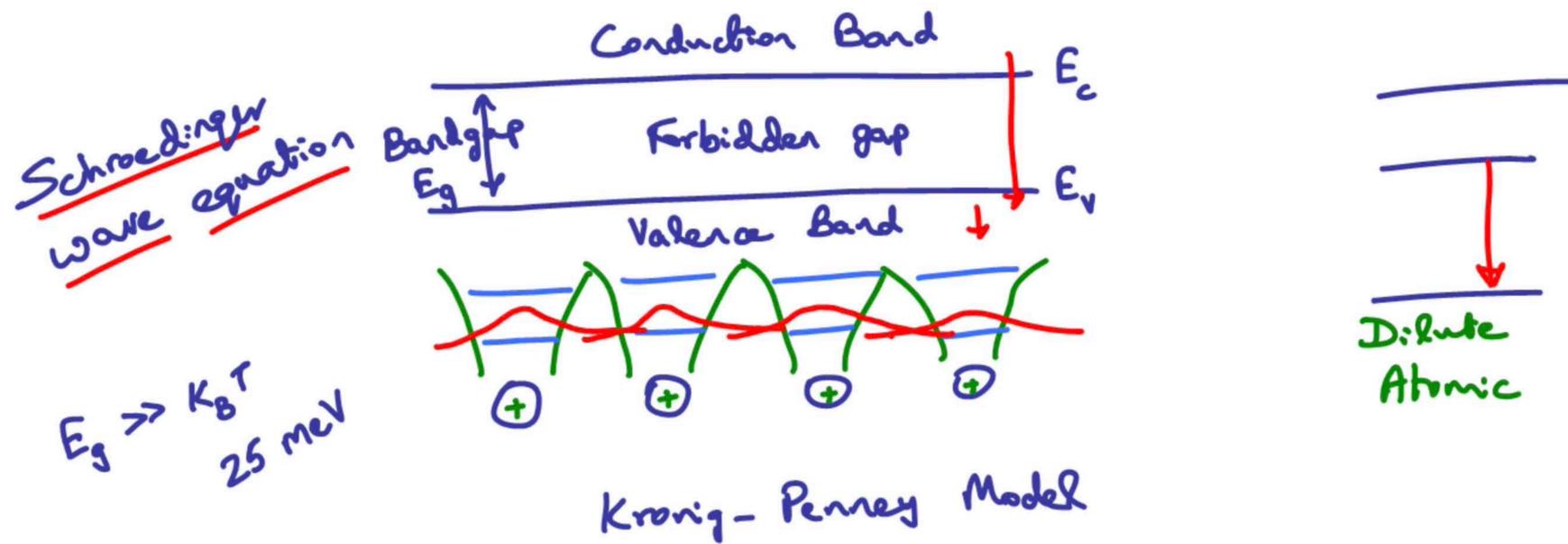
Excess holes



$p(E)$



Learning Objective: Identify fundamental principles of semiconductor light sources & detectors

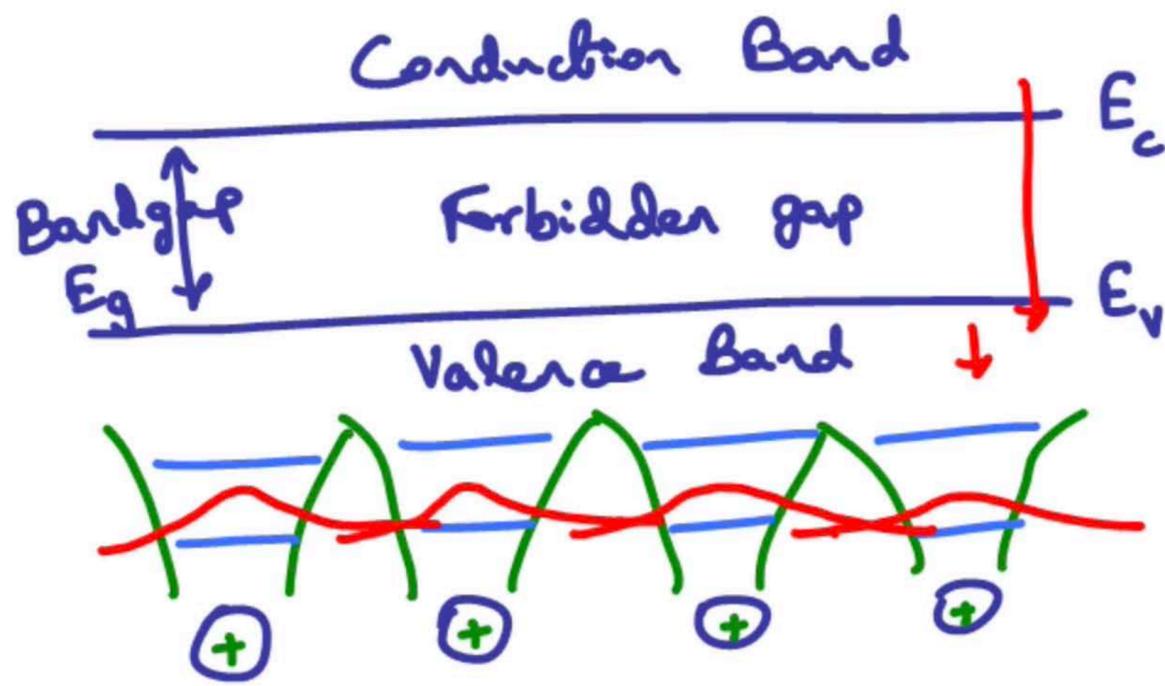


- Screenshot 2019-09...9.22 PM Prof. Balaji_Photonics
- Screenshot 2019-09...9.35 PM Prof. Deepak Khemani(2019)
- Screenshot 2019-09...9.49 PM Computational Electromagnetics
- DEEP
- GERMAN - 2
- Intro to photonics
- Screenshot 2019-09...0.07 PM
- Screenshot 2019-09...0.24 PM
- Screenshot 2019-09...0.36 PM
- Screenshot 2019-09...0.47 PM
- Screenshot 2019-09...8.56 PM
- Screenshot 2019-09...9.08 PM

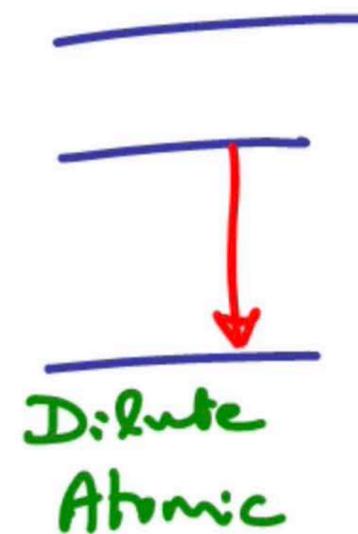
Learning Objective: Identify fundamental principles of semiconductor light sources & detectors

Schrodinger wave equation

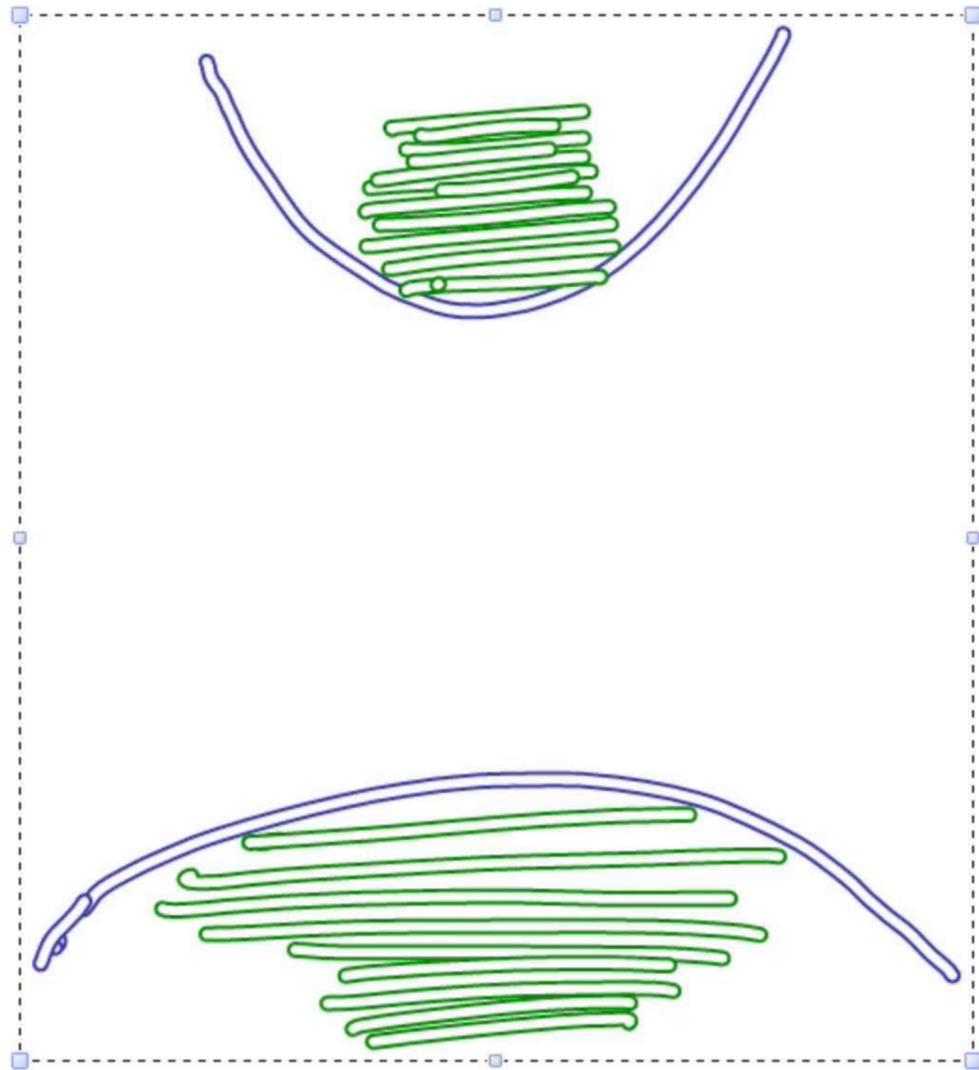
$$E_g \rightarrow k_B T \approx 25 \text{ meV}$$



Kronig-Penney Model



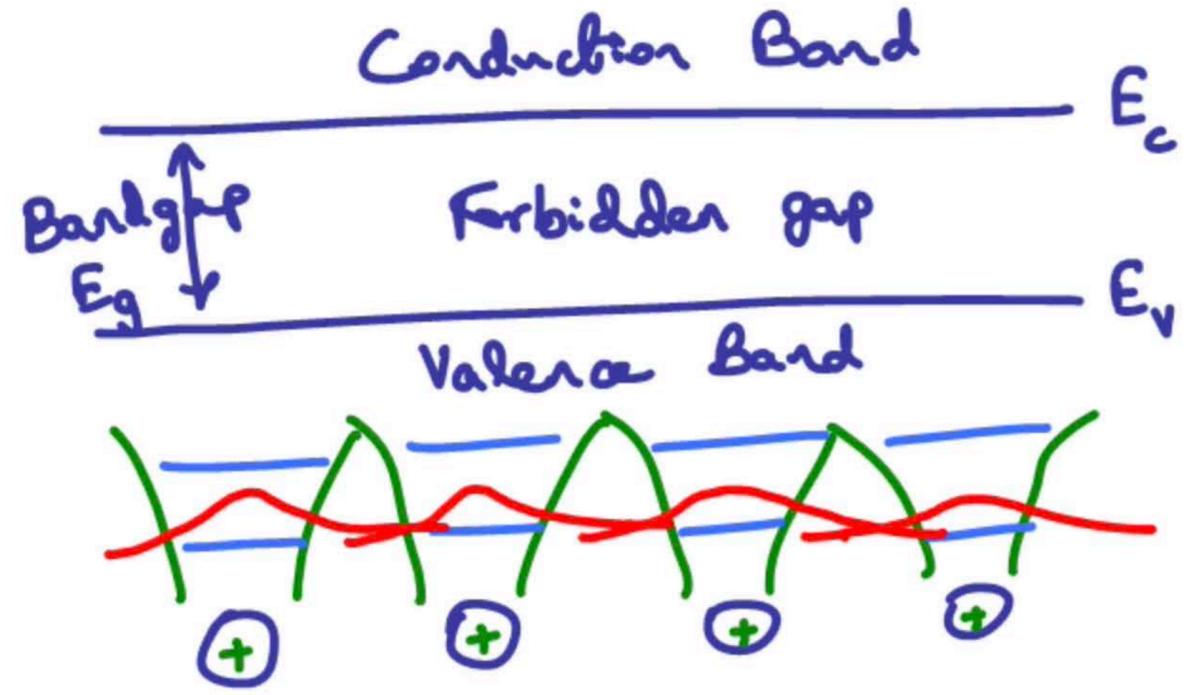
Learning Objective: Identify fundamental principles of semiconductor
light sources & detectors



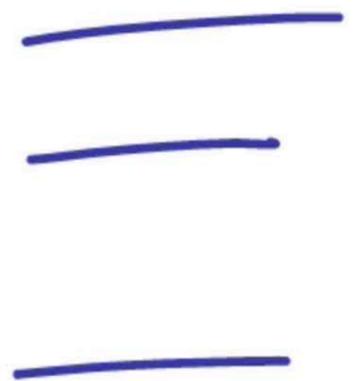
Learning Objective: Identify fundamental principles of semiconductor light sources & detectors

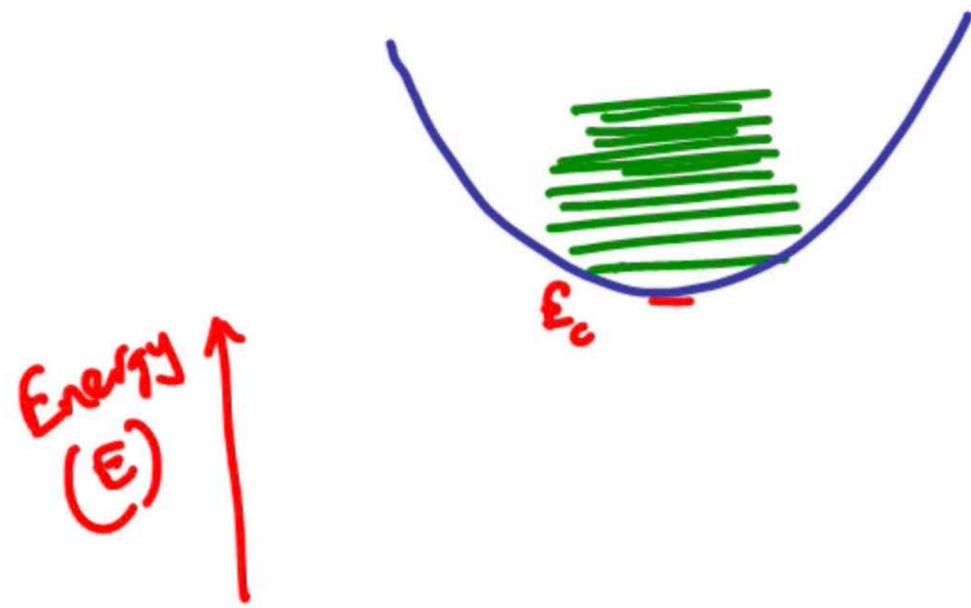
Schrodinger wave equation

$$E_g \gg k_B T$$

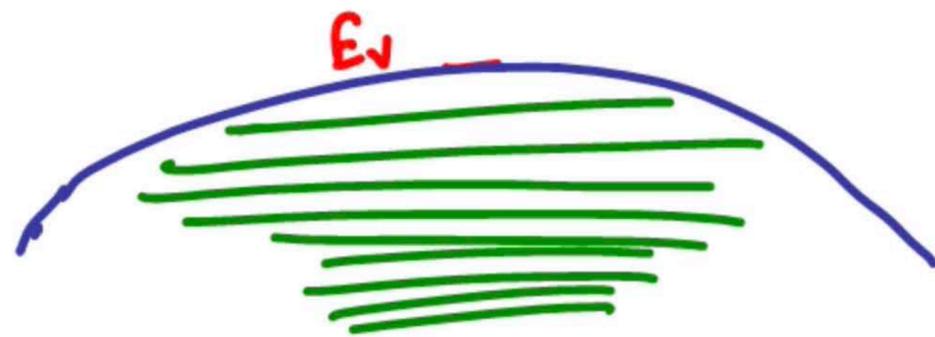


Kronig-Penney Model





$$E = E_c + \frac{\hbar^2 k^2}{2m_c}$$



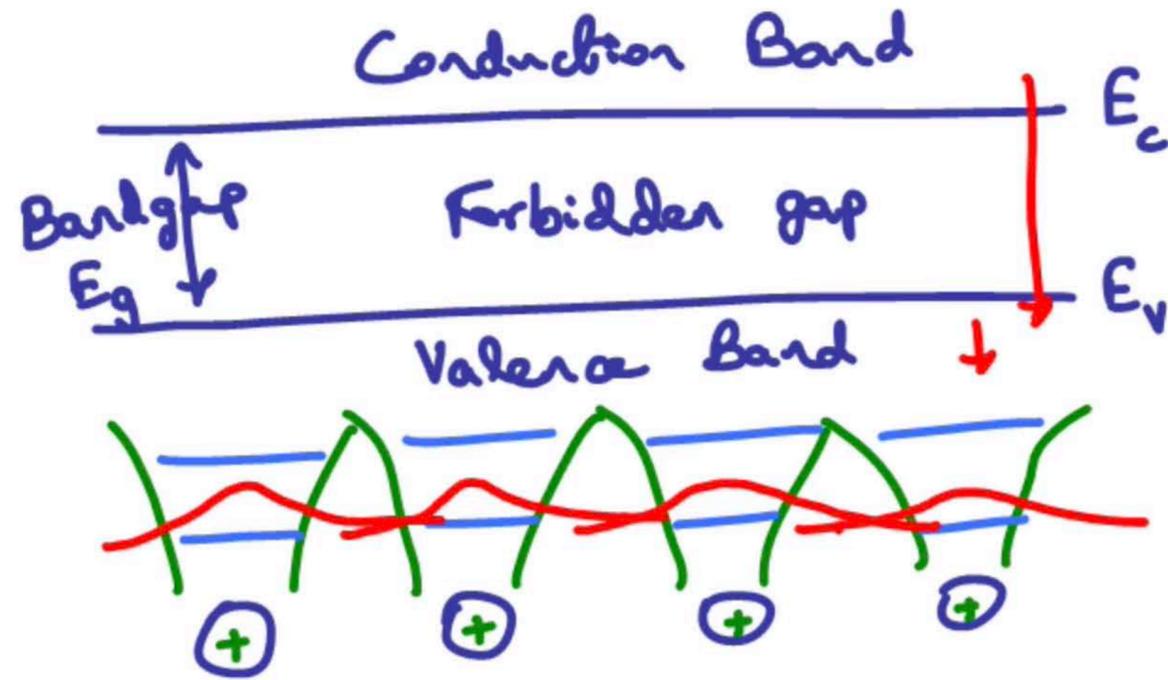
$$E = E_v - \frac{\hbar^2 k^2}{2m_v}$$

Momentum (k)

Learning Objective: Identify fundamental principles of semiconductor light sources & detectors

Schrodinger wave equation

$E_g \gg k_B T$
25 meV



Kronig-Penney Model

